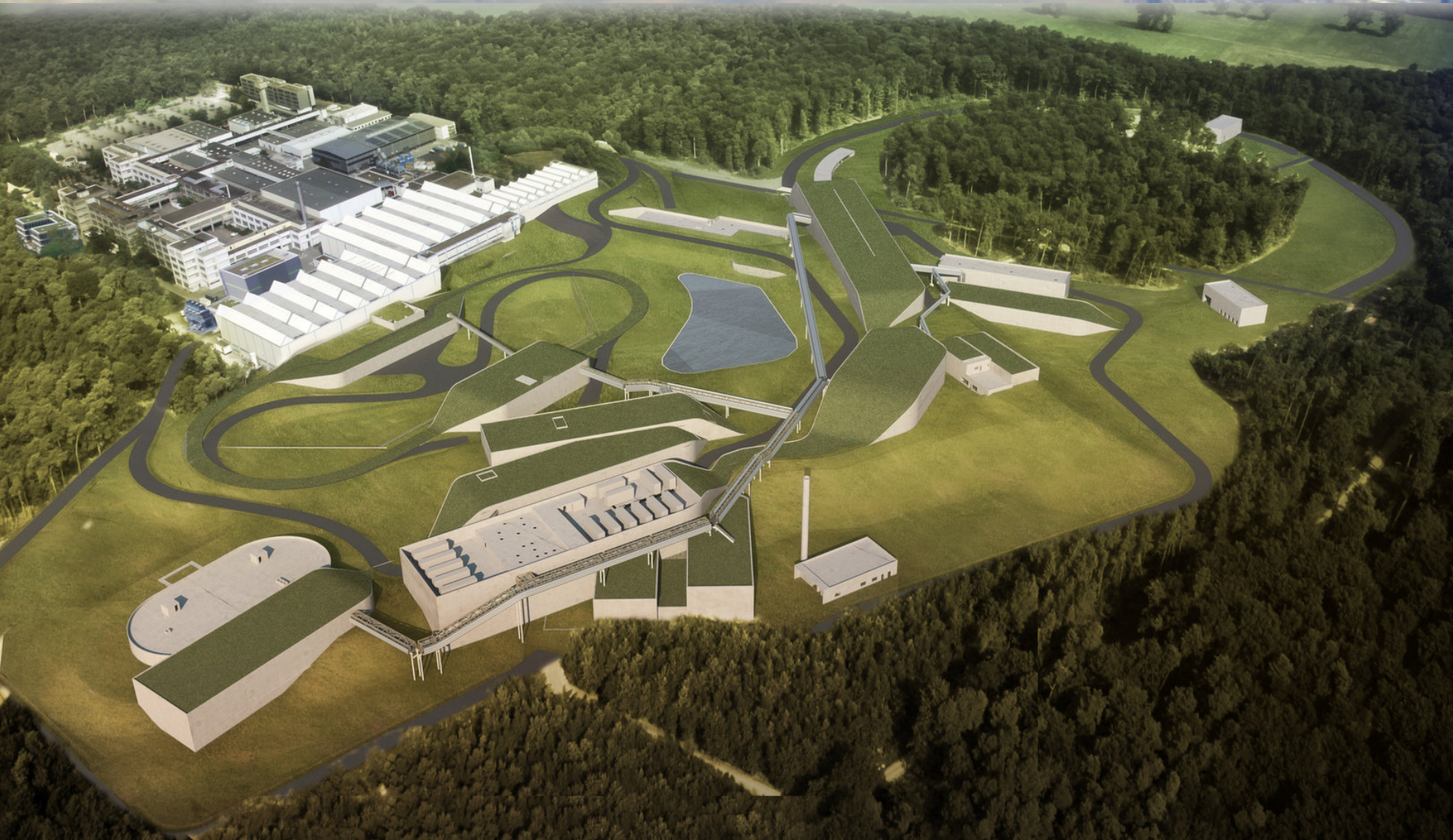
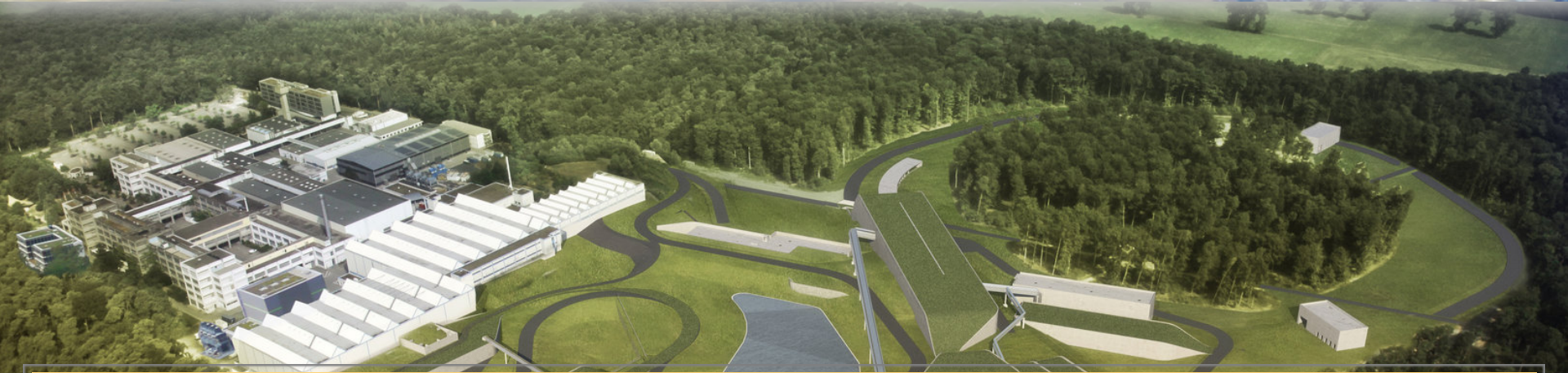


# Asymmetry energy and nuclear matter equation of state: What have we learnt from experiments at GSI ?





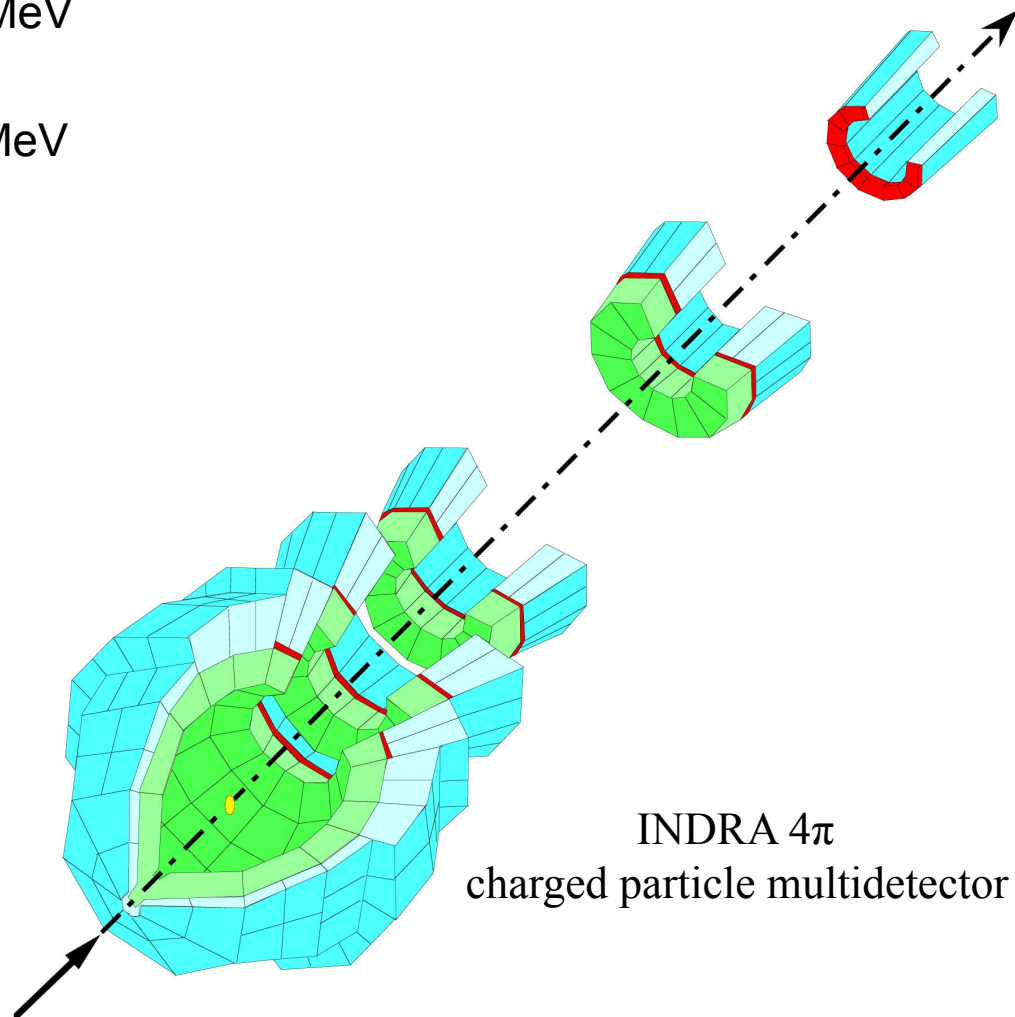
# Asymmetry energy and nuclear matter equation of state: What have we learnt from experiments at GSI ?



- Overview of experiments performed at GSI over 20 years with HICs at relativistic energies.
- From low densities (probed via isotopic yields): INDRA, ALADiN.
- To high densities (probed via elliptic flows of particles, meson yields): FOPI, KaoS, LAND, AsyEOS.
- How HICs compare with recent astrophysical findings.
- Perspectives: Towards larger densities...

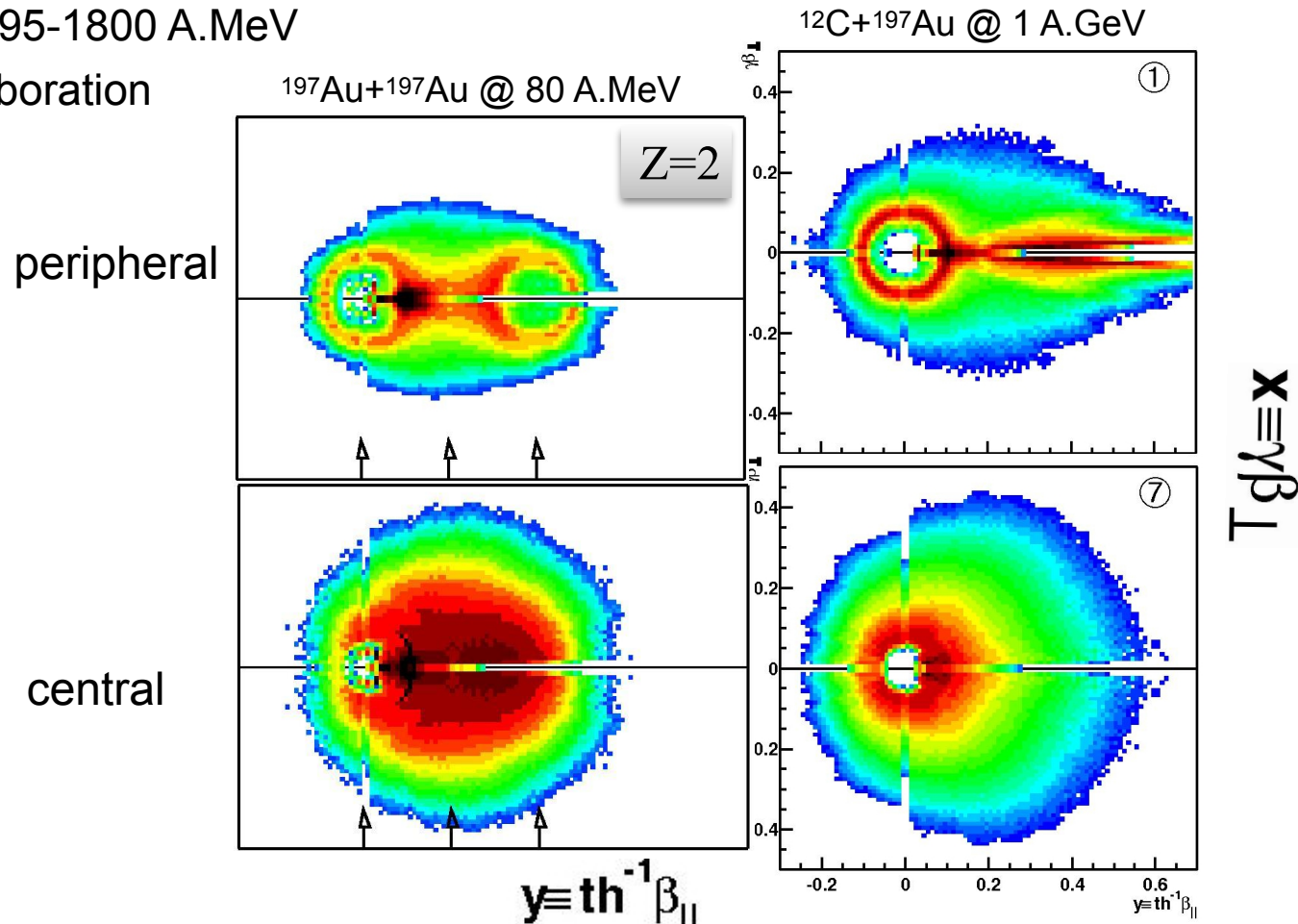
# Isotopic method: sub-saturation densities INDRA@GSI

- $^{124,124}\text{Xe} + ^{112,124,\text{nat}}\text{Sn}$  at 50-250 A.MeV
- $^{197}\text{Au} + ^{197}\text{Au}$  at 40-150 A.MeV
- $^{12}\text{C} + ^{197}\text{Au} / ^{112,124}\text{Sn}$  at 95-1800 A.MeV
- INDRA-ALADiN Collaboration
- 1999 campaign.



# Isotopic method: sub-saturation densities INDRA@GSI

- $^{124,124}\text{Xe} + ^{112,124}\text{natSn}$  at 50-250 A.MeV
- $^{197}\text{Au} + ^{197}\text{Au}$  at 40-150 A.MeV
- $^{12}\text{C} + ^{197}\text{Au} / ^{112,124}\text{Sn}$  at 95-1800 A.MeV
- INDRA-ALADiN Collaboration
- 1999 campaign





# Isotopic method: sub-saturation densities INDRA@GSI

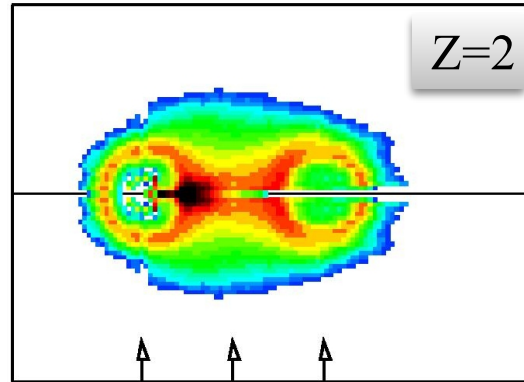
- $^{124,124}\text{Xe} + ^{112,124}\text{natSn}$  at 50-250 A.MeV
- $^{197}\text{Au} + ^{197}\text{Au}$  at 40-150 A.MeV
- $^{12}\text{C} + ^{197}\text{Au} / ^{112,124}\text{Sn}$  at 95-1800 A.MeV
- INDRA-ALADiN Collaboration
- 1999 campaign

Focus on target spectator fragmentation of  $^{112/124}\text{Sn}$  bombarded with  $^{12}\text{C}$  @ 300, 600 A MeV

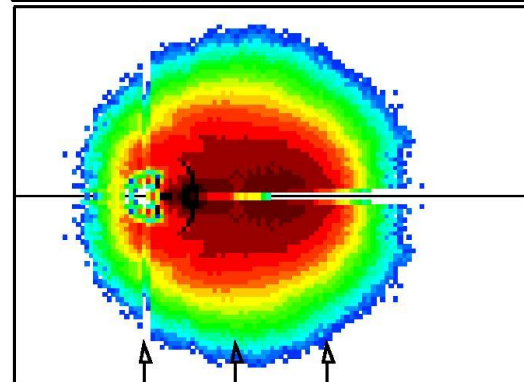
peripheral

$^{197}\text{Au} + ^{197}\text{Au}$  @ 80 A.MeV

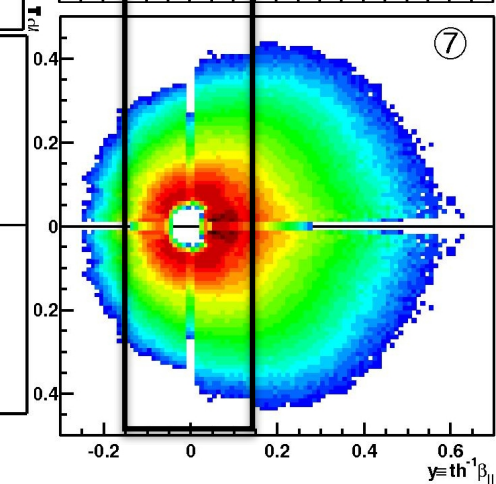
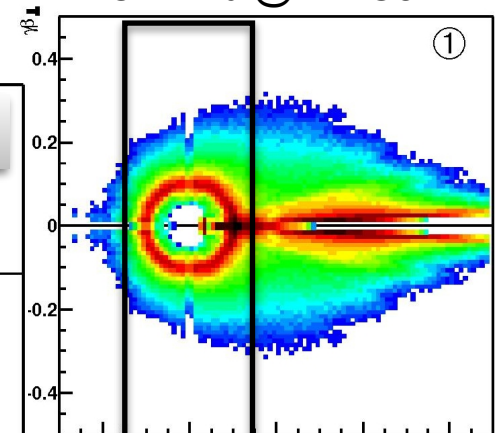
Z=2



central



$^{12}\text{C} + ^{197}\text{Au}$  @ 1 A.GeV



$y = \text{th}^{-1} \beta_{\perp}$

$y = \text{th}^{-1} \beta_{\parallel}$

$x \equiv \beta_{\perp}$

# Isotopic method: sub-saturation densities INDRA@GSI: 1999 Campaign

A. Le Fèvre et al., PRL **94**, 162701 (2005)



# Isotopic method: sub-saturation densities INDRA@GSI: 1999 Campaign

A. Le Fèvre et al., PRL **94**, 162701 (2005)

► **Isoscaling** = a common phenomenon to many different types of HIC's (features of statistical evaporation and multifragmentation models)

# Isotopic method: sub-saturation densities

## INDRA@GSI: 1999 Campaign

A. Le Fèvre et al., PRL **94**, 162701 (2005)

► **Isoscaling** = a common phenomenon to many different types of HIC's (features of statistical evaporation and multifragmentation models)

► 2 different projectile and/or target isotopes: (1) =  $^{112}\text{Sn}$ , (2) =  $^{124}\text{Sn}$  different targets.

▮► yield ratios scaling like (macrocanonical assumption)

$$R_{21}(N,Z) = Y_2(N,Z)/Y_1(N,Z) = C.\exp(\alpha N + \beta Z)$$



# Isotopic method: sub-saturation densities

## INDRA@GSI: 1999 Campaign

A. Le Fèvre et al., PRL **94**, 162701 (2005)

► **Isoscaling** = a common phenomenon to many different types of HIC's (features of statistical evaporation and multifragmentation models)

► 2 different projectile and/or target isotopes: (1) =  $^{112}\text{Sn}$ , (2) =  $^{124}\text{Sn}$  different targets.

►► yield ratios scaling like (macrocanonical assumption)

$$R_{21}(N,Z) = Y_2(N,Z)/Y_1(N,Z) = C.\exp(\alpha N + \beta Z)$$

►  $S(N) = R_{21}(N,Z) / \exp(\beta Z)$

# Isotopic method: sub-saturation densities

## INDRA@GSI: 1999 Campaign

A. Le Fèvre et al., PRL **94**, 162701 (2005)

► **Isoscaling** = a common phenomenon to many different types of HIC's (features of statistical evaporation and multifragmentation models)

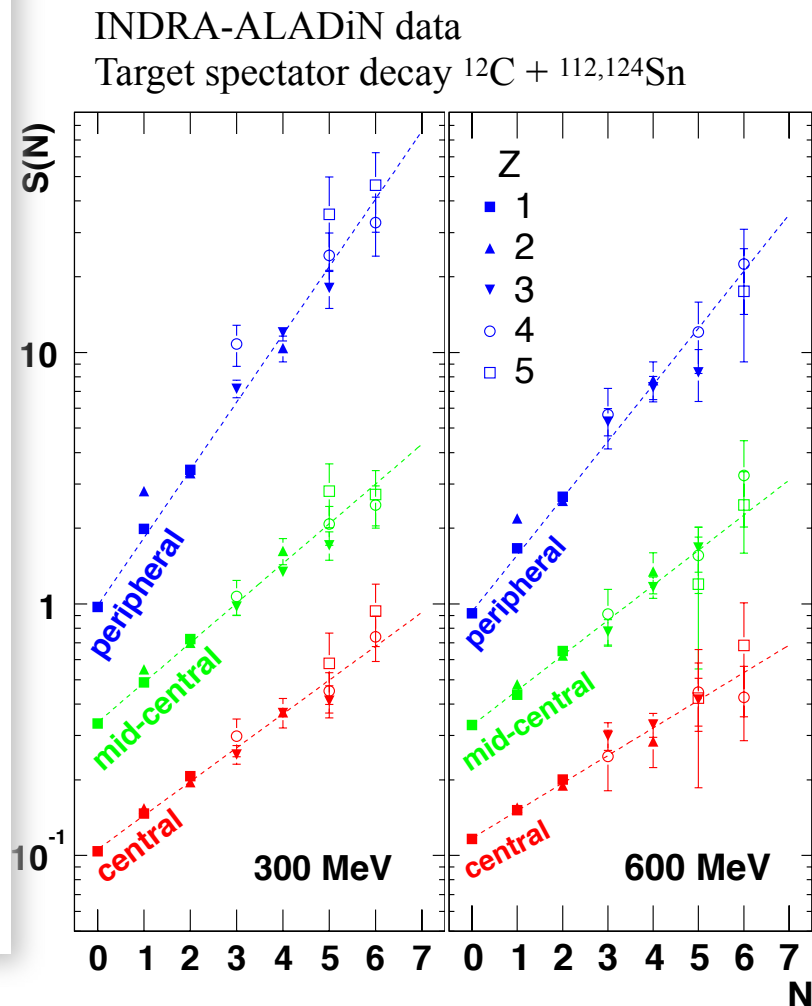
► 2 different projectile and/or target isotopes: (1) =  $^{112}\text{Sn}$ , (2) =  $^{124}\text{Sn}$  different targets.

► yield ratios scaling like (macrocanonical assumption)

$$R_{21}(N,Z) = Y_2(N,Z)/Y_1(N,Z) = C \cdot \exp(\alpha N + \beta Z)$$

$$\text{S}(N) = R_{21}(N,Z) / \exp(\beta Z)$$

$$\alpha T = \Delta\mu_n \approx 4 \gamma \left( (Z_1/A_1)^2 - (Z_2/A_2)^2 \right)$$





# Isotopic method: sub-saturation densities

## INDRA@GSI: 1999 Campaign

A. Le Fèvre et al., PRL **94**, 162701 (2005)

► **Isoscaling** = a common phenomenon to many different types of HIC's (features of statistical evaporation and multifragmentation models)

► 2 different projectile and/or target isotopes: (1) =  $^{112}\text{Sn}$ , (2) =  $^{124}\text{Sn}$  different targets.

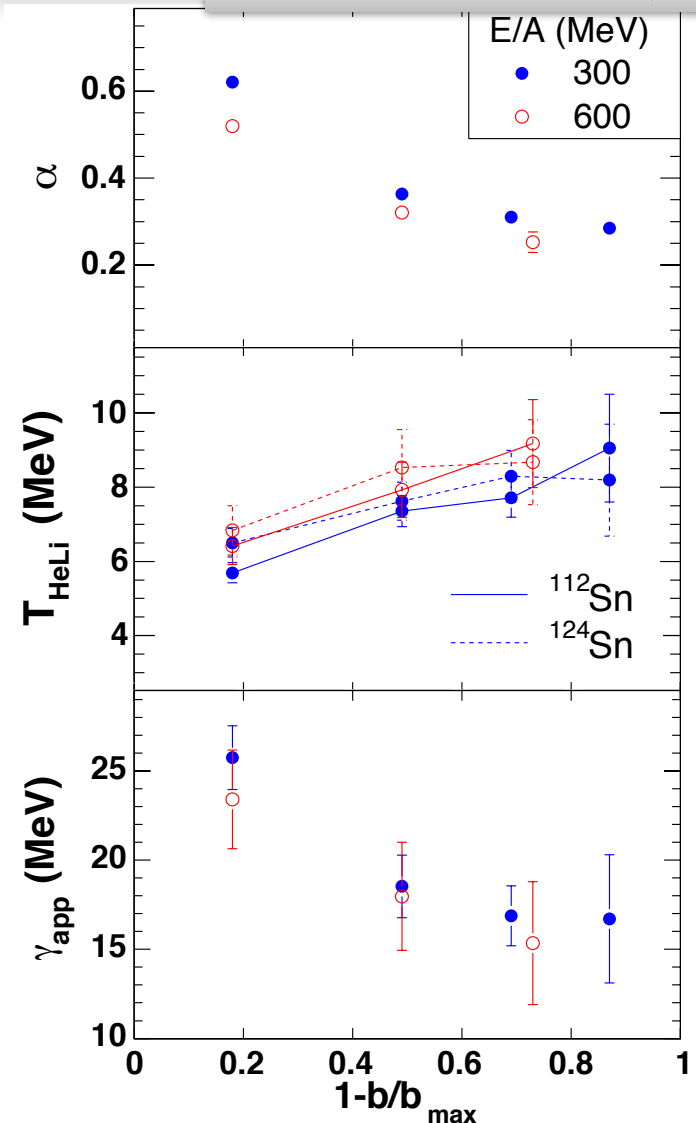
► yield ratios scaling like (macrocanonical assumption)

$$R_{21}(N,Z) = Y_2(N,Z)/Y_1(N,Z) = C \cdot \exp(\alpha N + \beta Z)$$

$$\text{S}(N) = R_{21}(N,Z) / \exp(\beta Z)$$

$$\alpha T = \Delta\mu_n \approx 4 \gamma \left( (Z_1/A_1)^2 - (Z_2/A_2)^2 \right)$$

$$E_{\text{easy}} = \gamma (N - Z)^2/A$$



# Isotopic method: sub-saturation densities

## INDRA@GSI: 1999 Campaign

A. Le Fèvre et al., PRL **94**, 162701 (2005)

► **Isoscaling** = a common phenomenon to many different types of HIC's (features of statistical evaporation and multifragmentation models)

► 2 different projectile and/or target isotopes: (1) =  $^{112}\text{Sn}$ , (2) =  $^{124}\text{Sn}$  different targets.

► yield ratios scaling like (macrocanonical assumption)

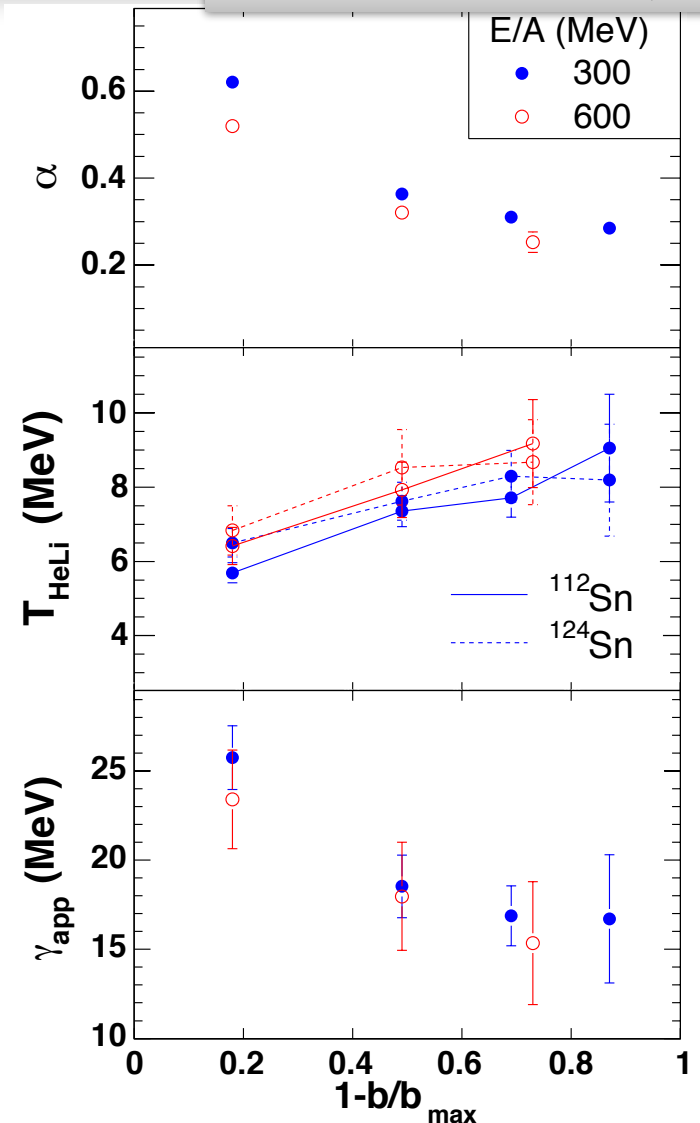
$$R_{21}(N,Z) = Y_2(N,Z)/Y_1(N,Z) = C \cdot \exp(\alpha N + \beta Z)$$

$$\text{S}(N) = R_{21}(N,Z) / \exp(\beta Z)$$

$$\alpha T = \Delta\mu_n \approx 4 \gamma \left( (Z_1/A_1)^2 - (Z_2/A_2)^2 \right)$$

$$E_{\text{easy}} = \gamma (N - Z)^2/A$$

► Experimental results:



# Isotopic method: sub-saturation densities INDRA@GSI: 1999 Campaign

A. Le Fèvre et al., PRL **94**, 162701 (2005)

► **Isoscaling** = a common phenomenon to many different types of HIC's (features of statistical evaporation and multifragmentation models)

► 2 different projectile and/or target isotopes: (1) =  $^{112}\text{Sn}$ , (2) =  $^{124}\text{Sn}$  different targets.

► yield ratios scaling like (macrocanonical assumption)

$$R_{21}(N,Z) = Y_2(N,Z)/Y_1(N,Z) = C \cdot \exp(\alpha N + \beta Z)$$

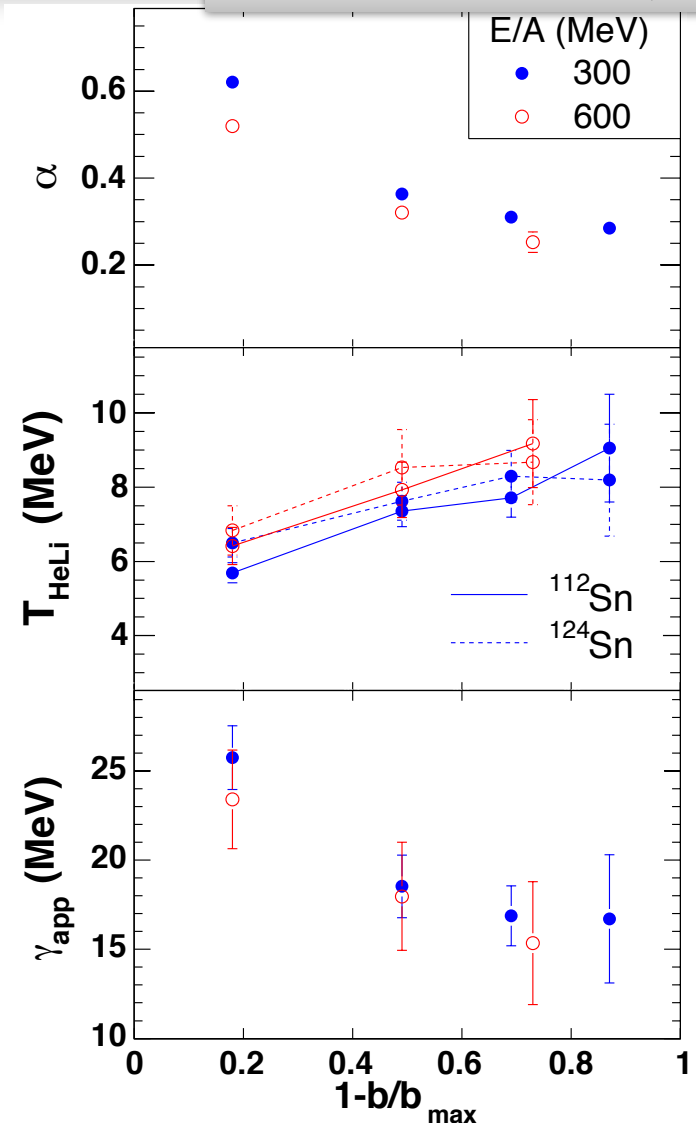
$$\text{► } S(N) = R_{21}(N,Z) / \exp(\beta Z)$$

$$\text{► } \alpha T = \Delta\mu_n \approx 4 \gamma \left( (Z_1/A_1)^2 - (Z_2/A_2)^2 \right)$$

$$\text{► } E_{\text{asy}} = \gamma (N - Z)^2/A$$

► Experimental results:

►  $\gamma = 24$  MeV for peripheral events: liquid-drop model standard (Bethe-Weiszaecker, ground state).





# Isotopic method: sub-saturation densities

## INDRA@GSI: 1999 Campaign

A. Le Fèvre et al., PRL **94**, 162701 (2005)

► **Isoscaling** = a common phenomenon to many different types of HIC's (features of statistical evaporation and multifragmentation models)

► 2 different projectile and/or target isotopes: (1) =  $^{112}\text{Sn}$ , (2) =  $^{124}\text{Sn}$  different targets.

► yield ratios scaling like (macrocanonical assumption)

$$R_{21}(N,Z) = Y_2(N,Z)/Y_1(N,Z) = C \cdot \exp(\alpha N + \beta Z)$$

$$\text{S}(N) = R_{21}(N,Z) / \exp(\beta Z)$$

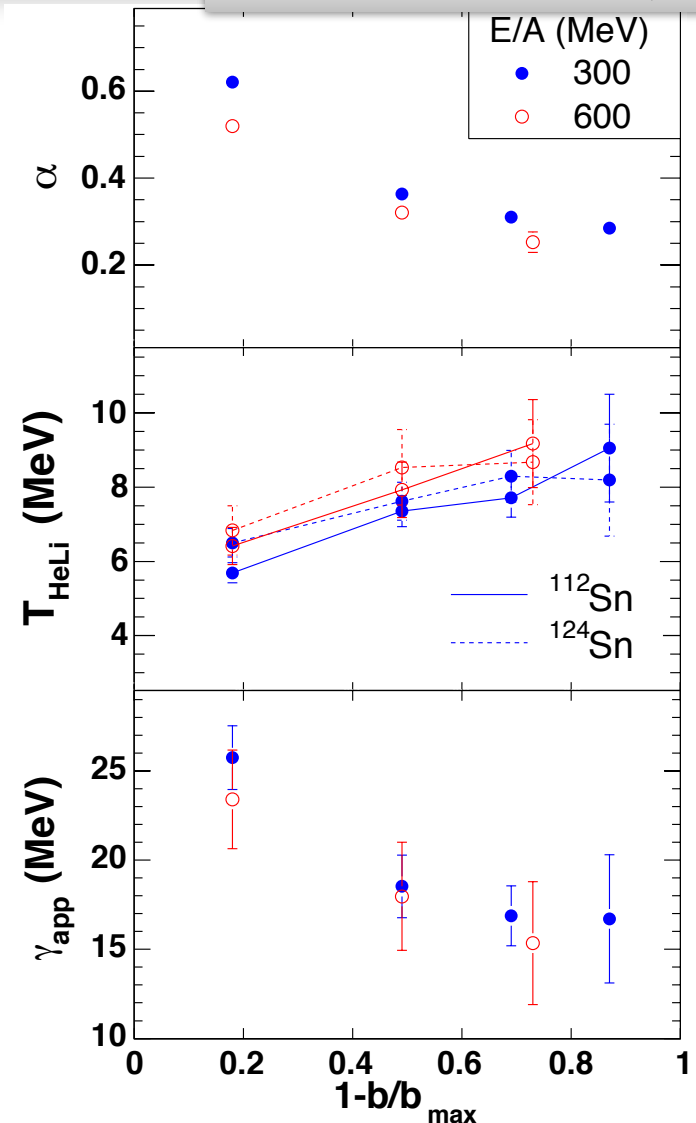
$$\alpha T = \Delta\mu_n \approx 4 \gamma \left( (Z_1/A_1)^2 - (Z_2/A_2)^2 \right)$$

$$E_{\text{asy}} = \gamma (N - Z)^2/A$$

► Experimental results:

►  $\gamma = 24$  MeV for peripheral events: liquid-drop model standard (Bethe-Weiszaecker, ground state).

►  $\gamma < 10$  MeV for central events: deformed, expanded clusters?



# Isotopic method: sub-saturation densities INDRA@GSI: 1999 Campaign

A. Le Fèvre et al., PRL **94**, 162701 (2005)

► **Isoscaling** = a common phenomenon to many different types of HIC's (features of statistical evaporation and multifragmentation models)

► 2 different projectile and/or target isotopes: (1) =  $^{112}\text{Sn}$ , (2) =  $^{124}\text{Sn}$  different targets.

► yield ratios scaling like (macrocanonical assumption)

$$R_{21}(N,Z) = Y_2(N,Z)/Y_1(N,Z) = C \cdot \exp(\alpha N + \beta Z)$$

$$\text{S}(N) = R_{21}(N,Z) / \exp(\beta Z)$$

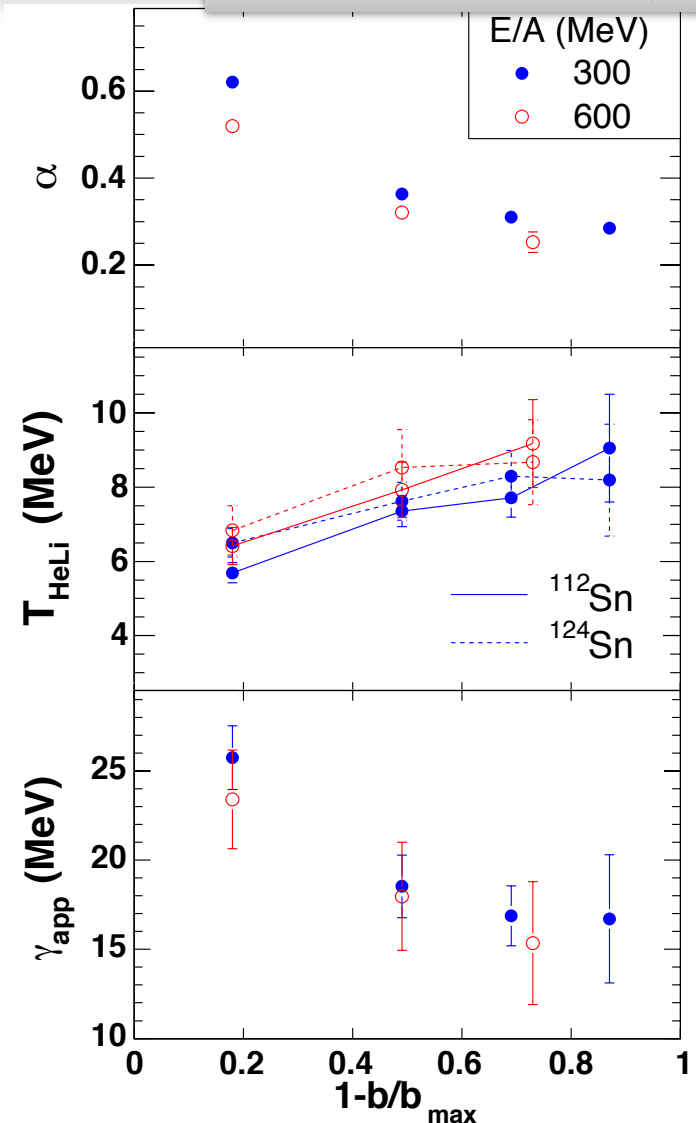
$$\alpha T = \Delta\mu_n \approx 4 \gamma \left( (Z_1/A_1)^2 - (Z_2/A_2)^2 \right)$$

$$E_{\text{asy}} = \gamma (N - Z)^2/A$$

► Experimental results:

►  $\gamma = 24$  MeV for peripheral events: liquid-drop model standard (Bethe-Weiszaecker, ground state).

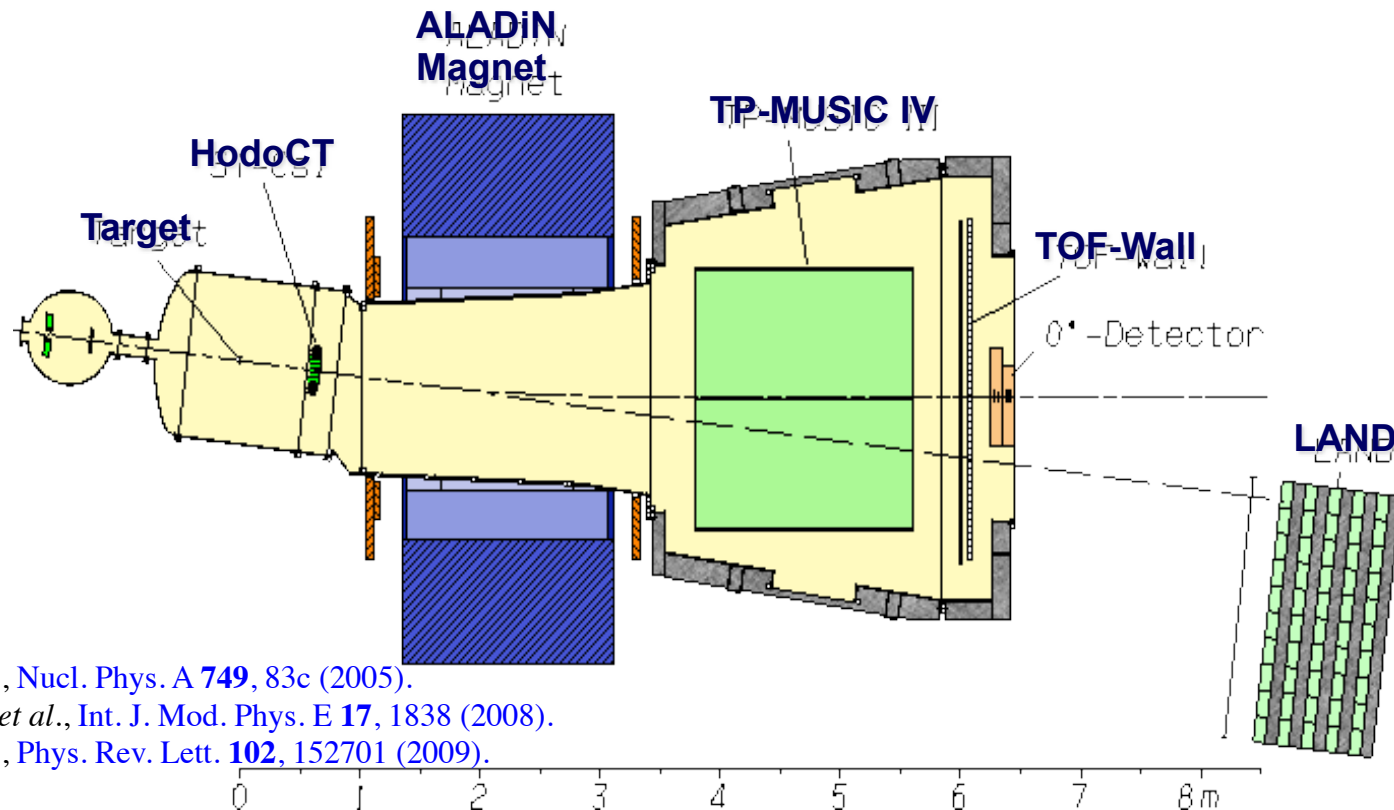
►  $\gamma < 10$  MeV for central events: deformed, expanded clusters?



See Quentin Fable's poster

# Isotopic method: sub-saturation densities ALADiN

The S254 experiment (2003)

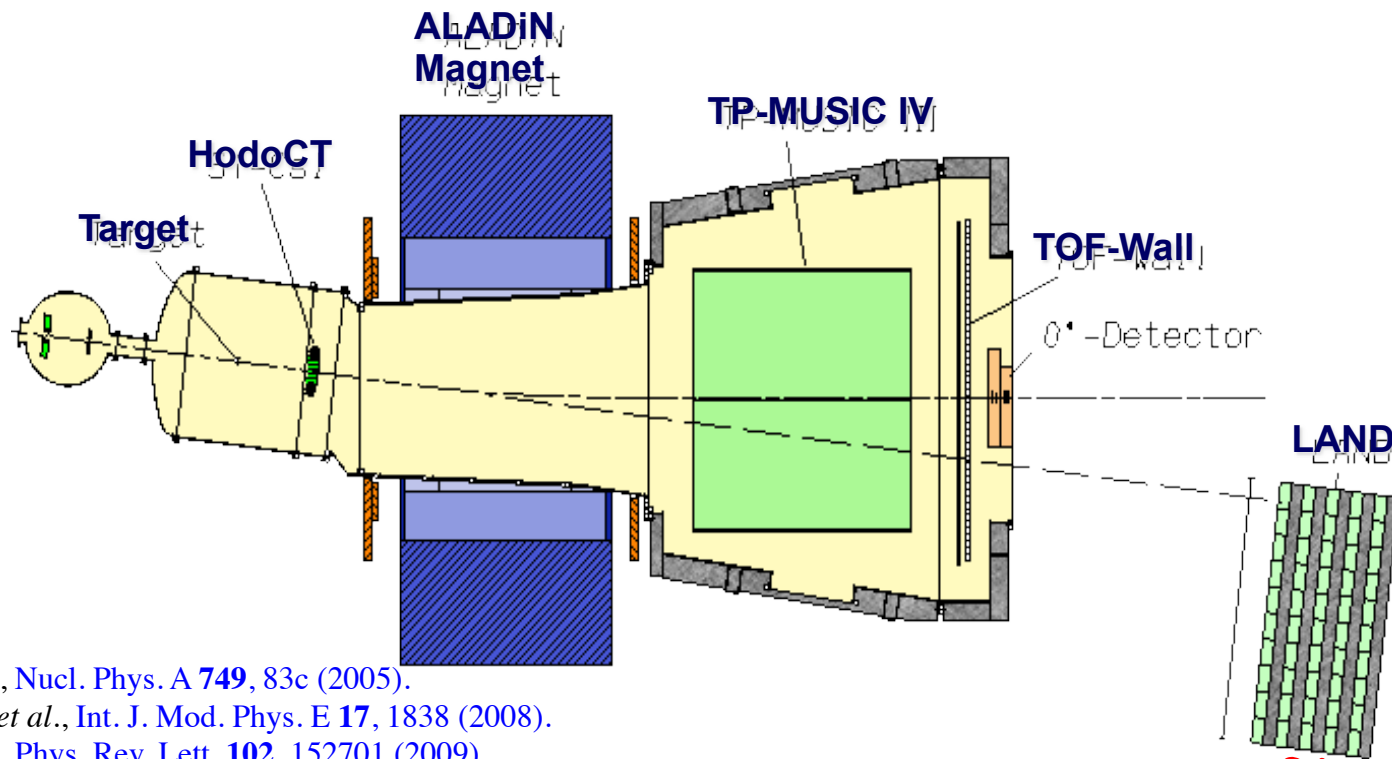


- C. Sfienti *et al.*, *Nucl. Phys. A* **749**, 83c (2005).  
W. Trautmann *et al.*, *Int. J. Mod. Phys. E* **17**, 1838 (2008).  
C. Sfienti *et al.*, *Phys. Rev. Lett.* **102**, 152701 (2009).



# Isotopic method: sub-saturation densities ALADiN

The S254 experiment (2003)



- C. Sienti *et al.*, *Nucl. Phys. A* **749**, 83c (2005).
- W. Trautmann *et al.*, *Int. J. Mod. Phys. E* **17**, 1838 (2008).
- C. Sienti *et al.*, *Phys. Rev. Lett.* **102**, 152701 (2009).

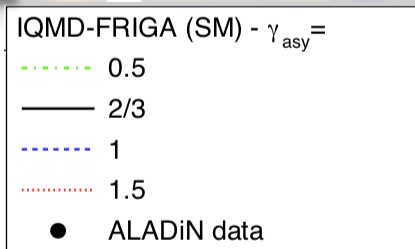
Neutron rich/poor projectiles:  $^{197}\text{Au}$ ,  $^{124}\text{Sn}$ ,  $^{124}\text{La}$ ,  $^{107}\text{Sn}$

**Secondary Beams  
(Low Intensities!)**

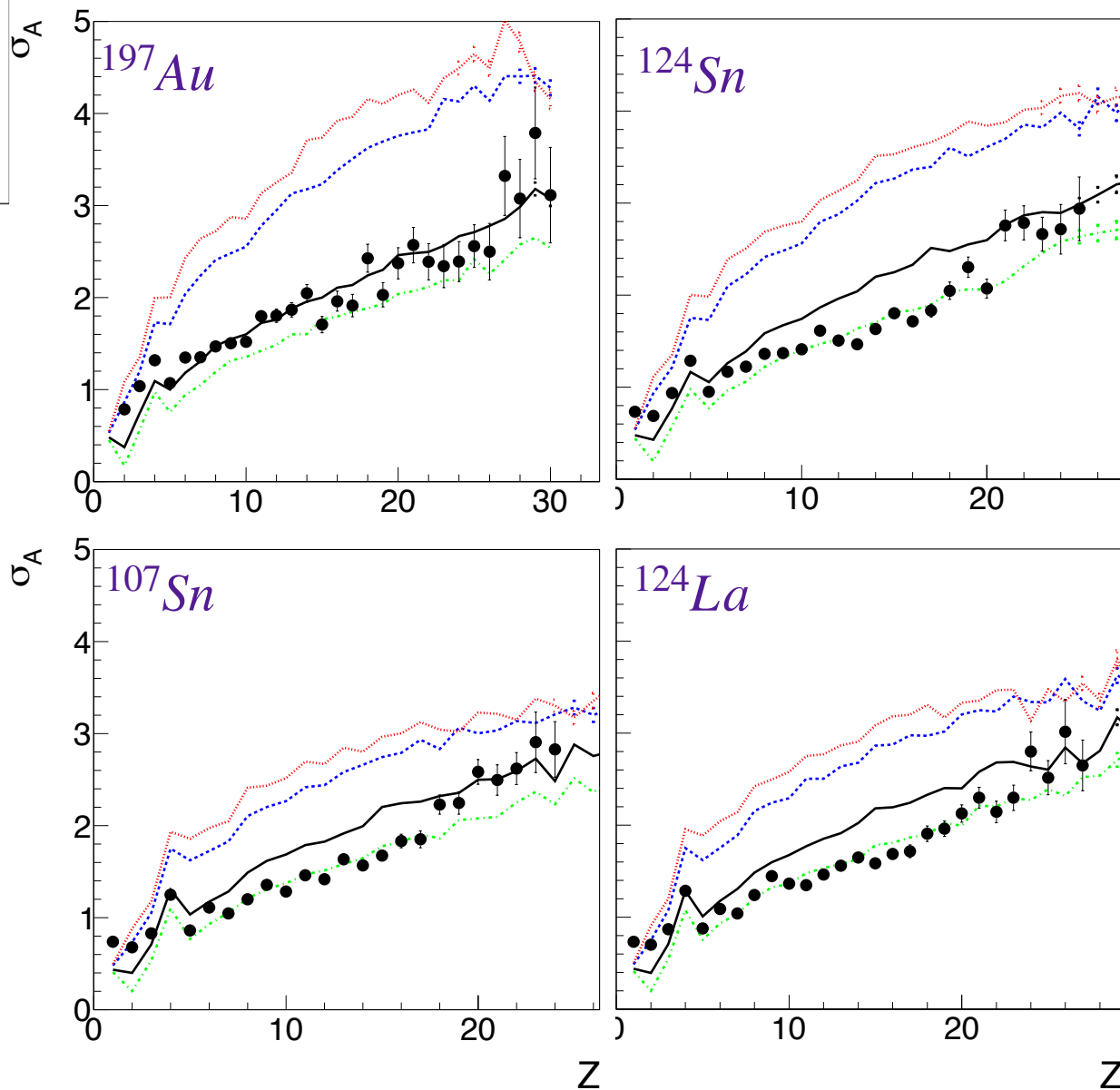
$$E_{inc} = 600A \text{ MeV} (\approx 1000 \text{ pps})$$

# Isotopic method: sub-saturation densities ALADiN - sensitivity to the asymmetry energy

Under submission

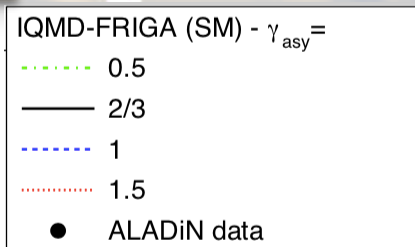


Widths of mass distributions:  
even larger sensitivity

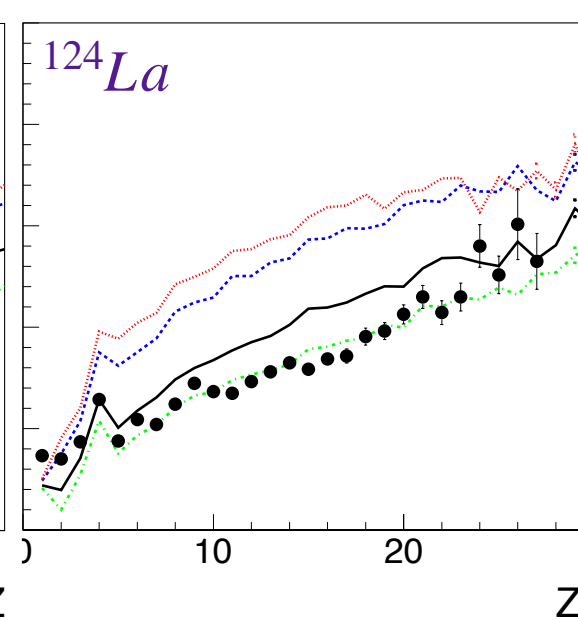
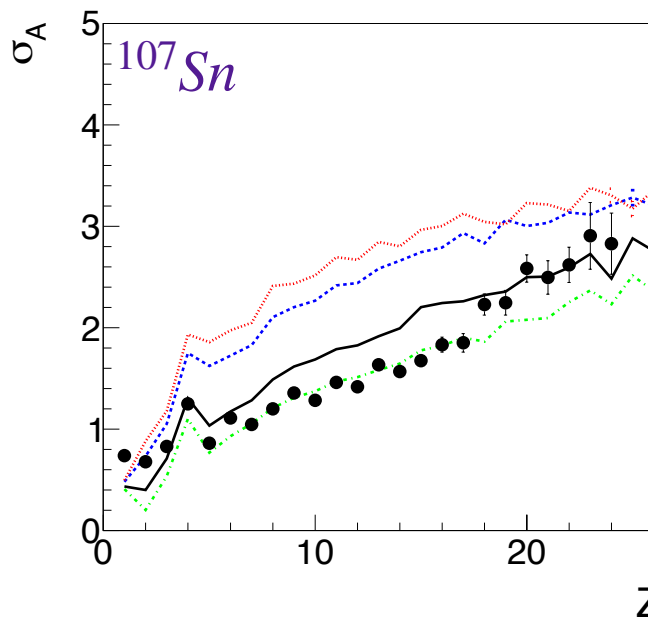
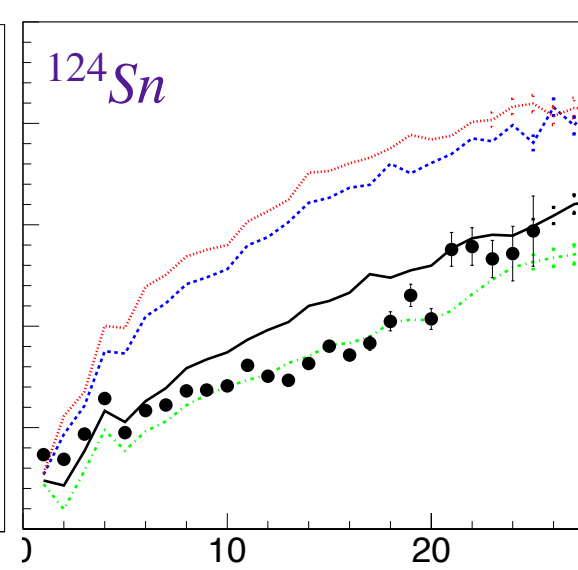
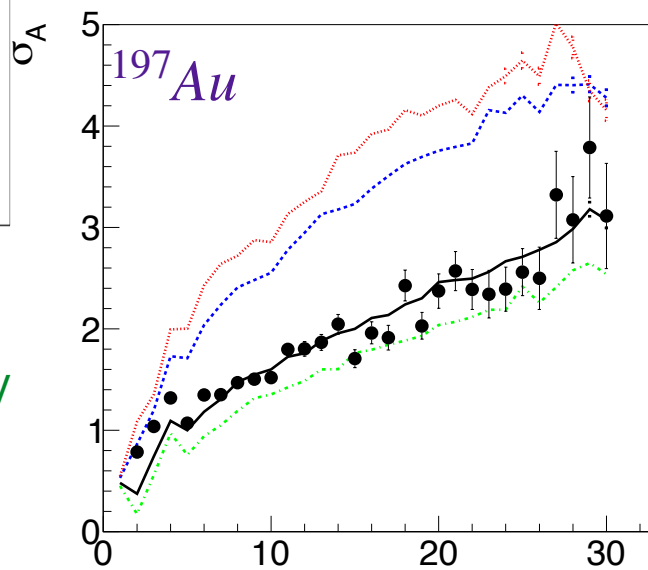
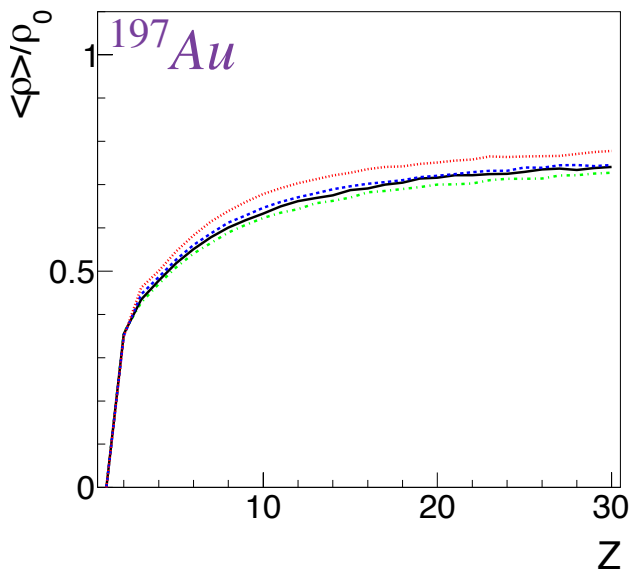


# Isotopic method: sub-saturation densities ALADiN - sensitivity to the asymmetry energy

Under submission



Widths of mass distributions:  
even larger sensitivity  
⚠ probed densities are strongly  
related to the cluster size:



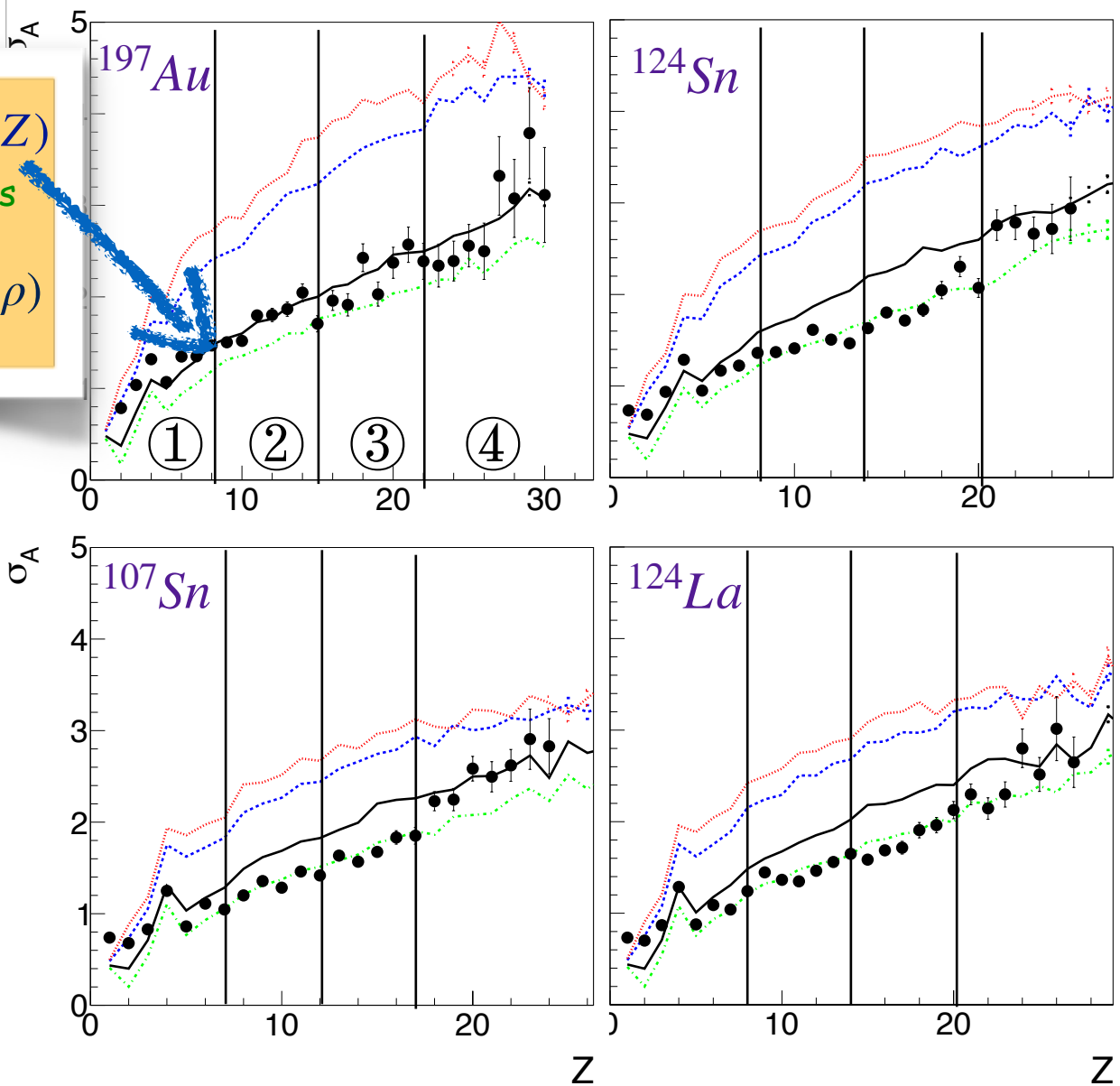


# Isotopic method: sub-saturation densities ALADiN - sensitivity to the asymmetry energy

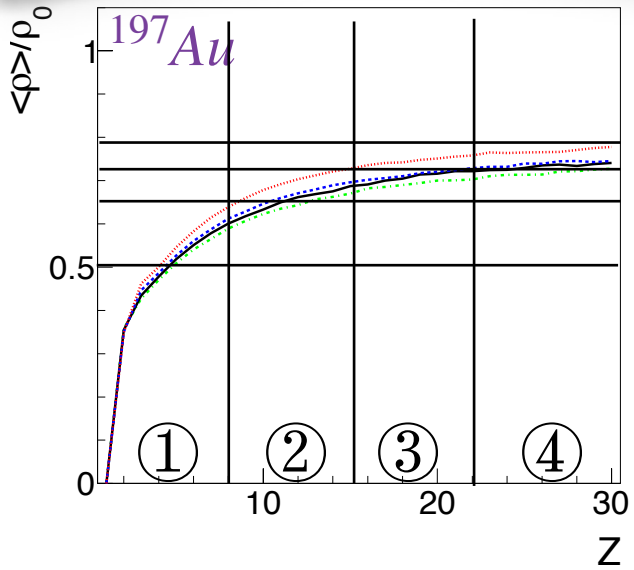
Under submission

IQMD-FRIGA (SM) -  $\gamma_{asy} =$   
..... 0.5

➔ minimisation of  $\chi^2(\gamma)$  on  $\sigma_A(Z)$   
 within 4 intervals of  $Z \Leftrightarrow$  various  
 density intervals probed  
➔ highest expectancies of  $E_{asy}(\rho)$



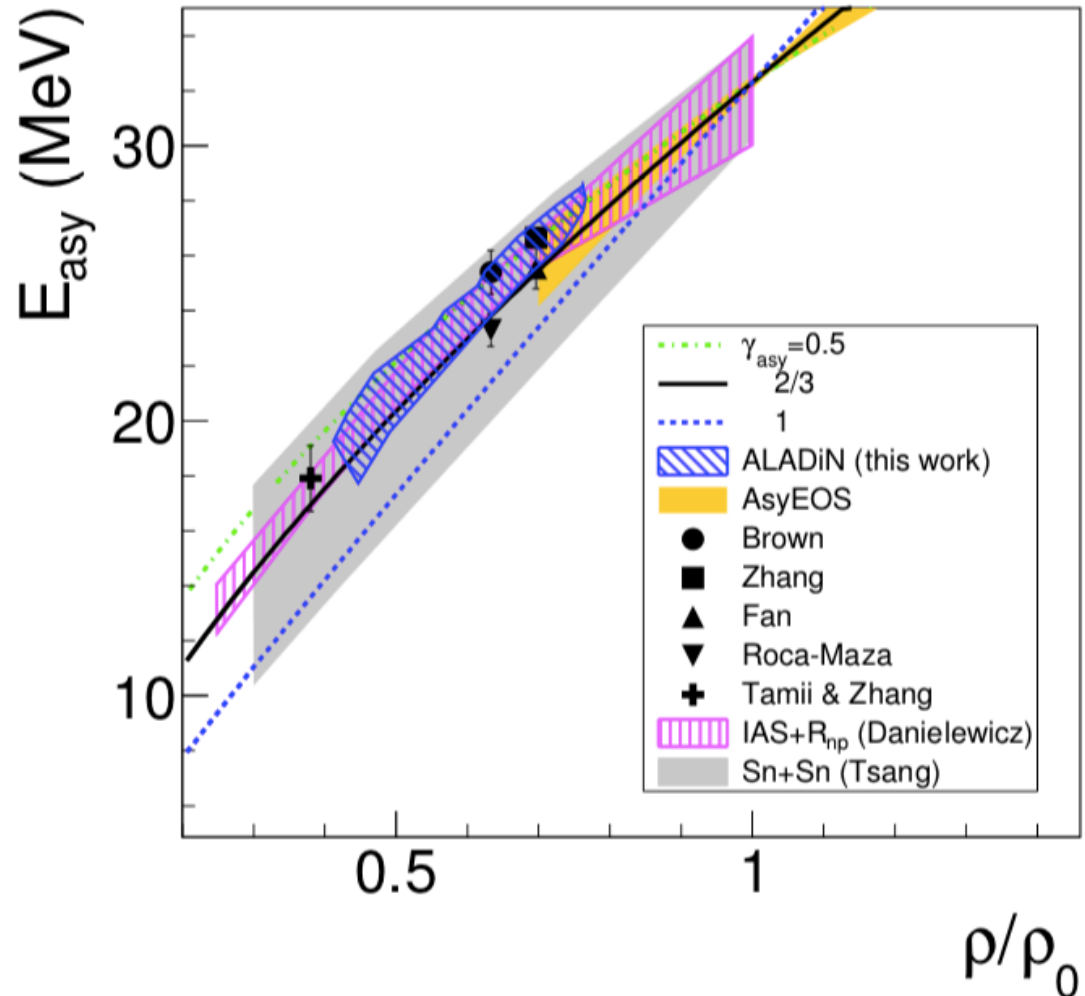
related to the cluster size:



# Isotopic method: sub-saturation densities ALADiN - Synthesis over all systems and how its compares with recent findings

Under submission

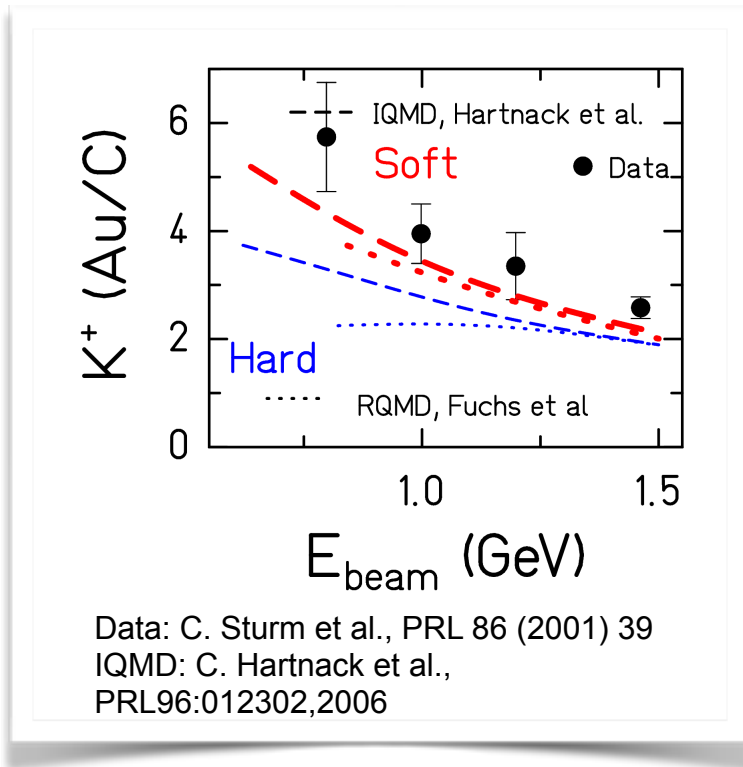
- Neutron rich systems are the most sensitive for this type of analysis
  - ALADiN ( $0.4-0.8 \rho_0$ )
    - ➔  $L = 54.2 \pm 4.2$  MeV
    - ➔  $\gamma_{asy} = 0.52 \pm 0.06$
- Results are compatible with the most precise nuclear structure findings, with a similar accuracy.





# Elliptic flow method: high densities FOPI and the incompressibility $K_0$

1st results at GSI with KaoS data:



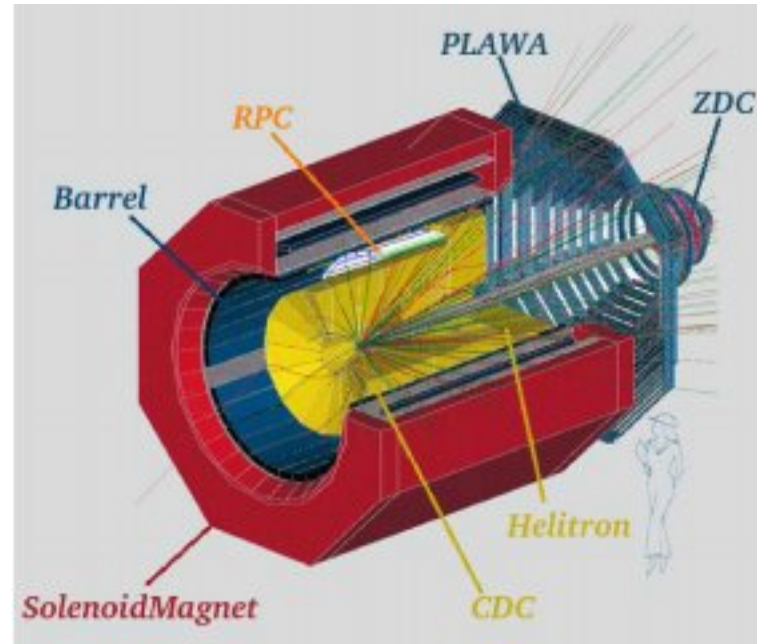
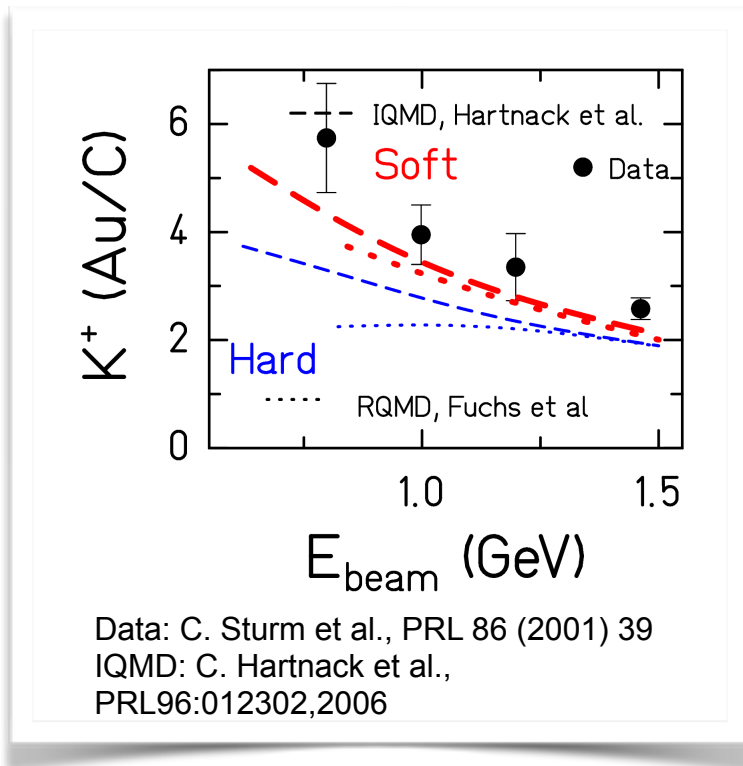




# Elliptic flow method: high densities FOPI and the incompressibility $K_0$

1st results at GSI with KaoS data:

FOPI 1990'-2000' campaigns  
Au+Au @ 95 - 1500 A MeV



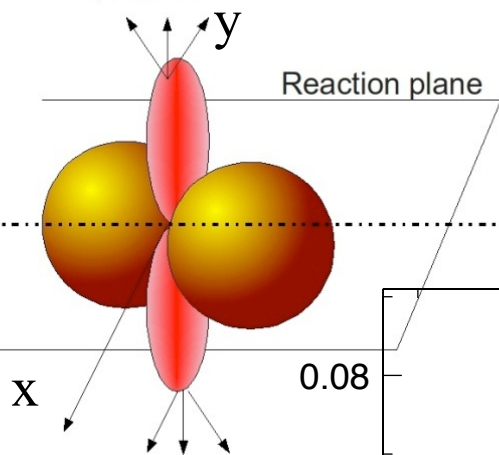


# Elliptic flow method: high densities FOPI and the incompressibility $K_0$

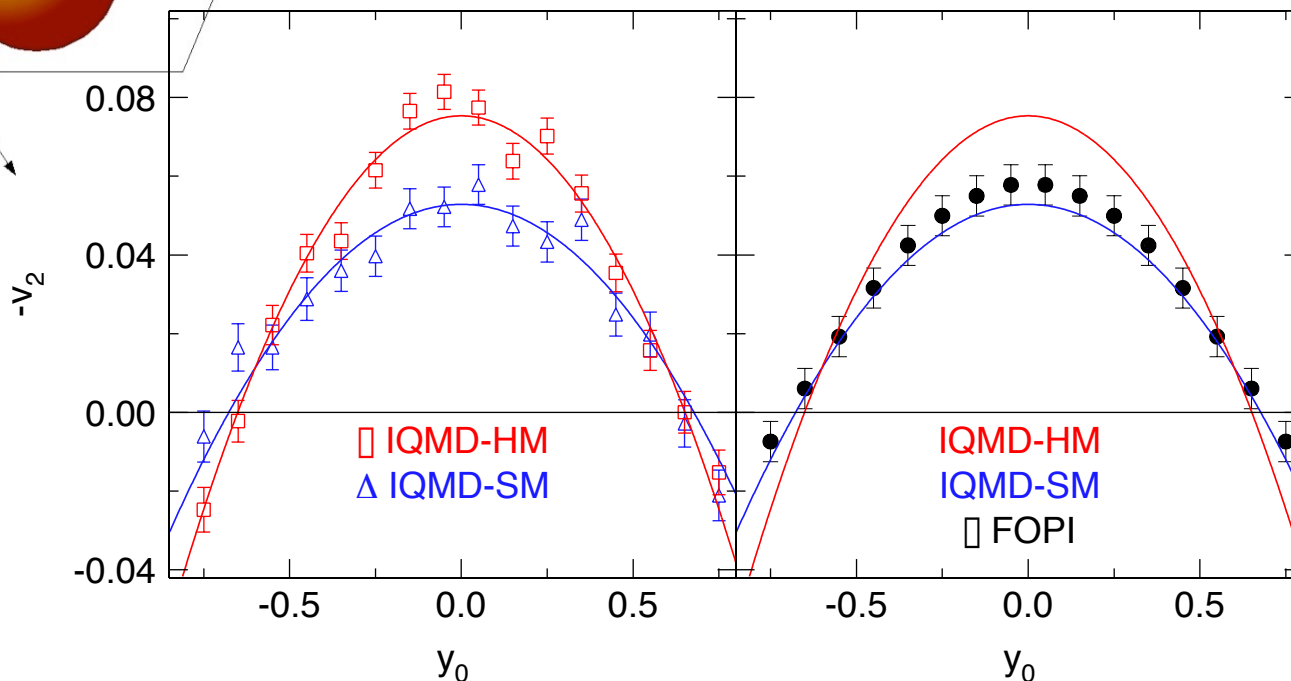
$V_2$  Elliptic flow

Squeeze-out

Reaction plane



Z Au+Au 1.2A GeV  $0.25 < b_0 < 0.45$  protons



$K_0 =$   
380 MeV ('stiff')  
200 MeV ('soft')

With momentum  
dependant interaction:  
compulsory

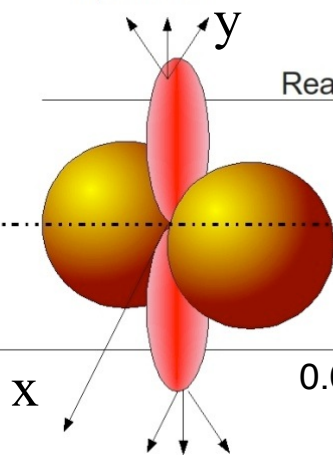


# Elliptic flow method: high densities FOPI and the incompressibility $K_0$

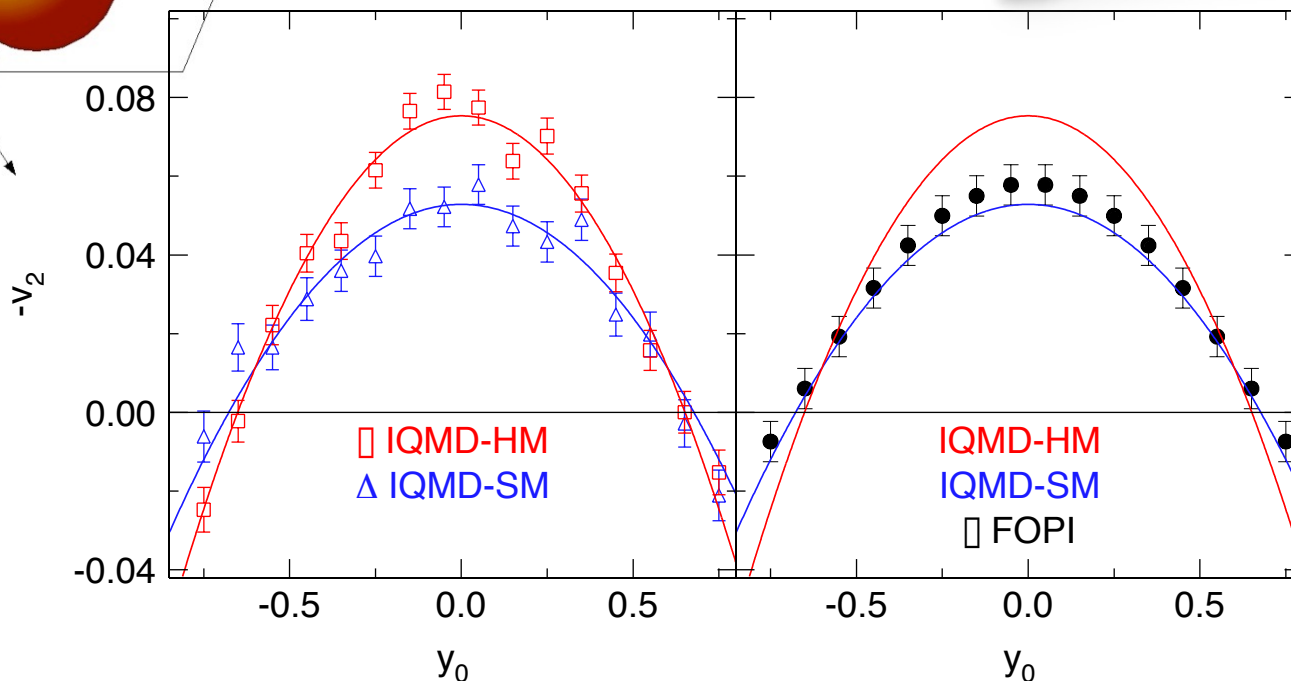
$V_2$  Elliptic flow

Squeeze-out

Reaction plane



Z Au+Au 1.2A GeV  $0.25 < b_0 < 0.45$  protons



Complete shape of  $v_2(y_0)$ :  
a new observable:

$$v_{2n} = |v_{20}| + |v_{22}|,$$

from fit

$$v_2(y_0) = v_{20} + v_{22} \cdot y_0^2$$

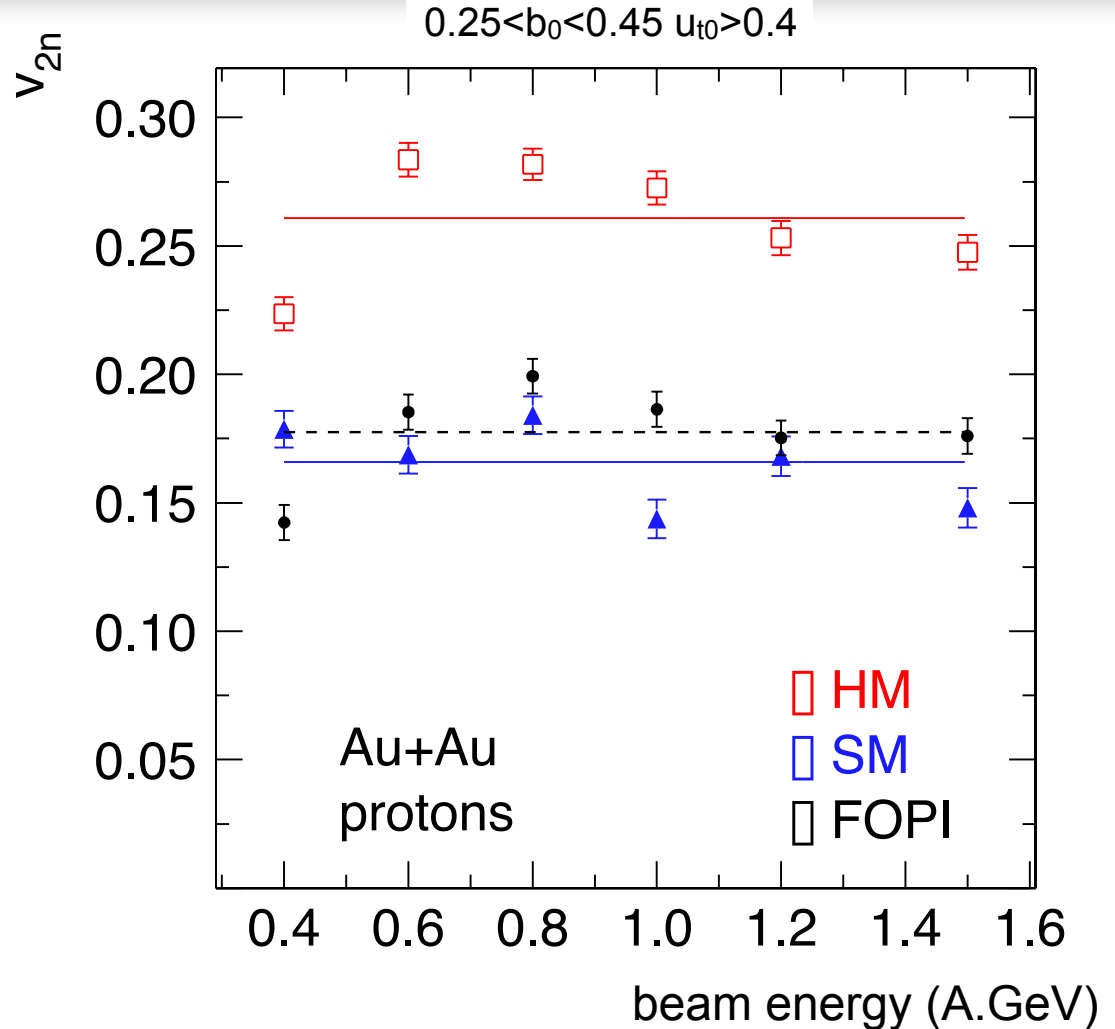
$K_0 =$   
380 MeV ('stiff')  
200 MeV ('soft')

With momentum dependant interaction:  
**compulsory**



# Elliptic flow method: high densities FOPI and the incompressibility $K_0$

- $v_{2n}(E_{\text{beam}})$  varies by a factor  $\approx 1.6$ ,  $\gg$  measured uncertainty ( $\approx 1.1$ )
- clearly favors a 'soft' EOS.



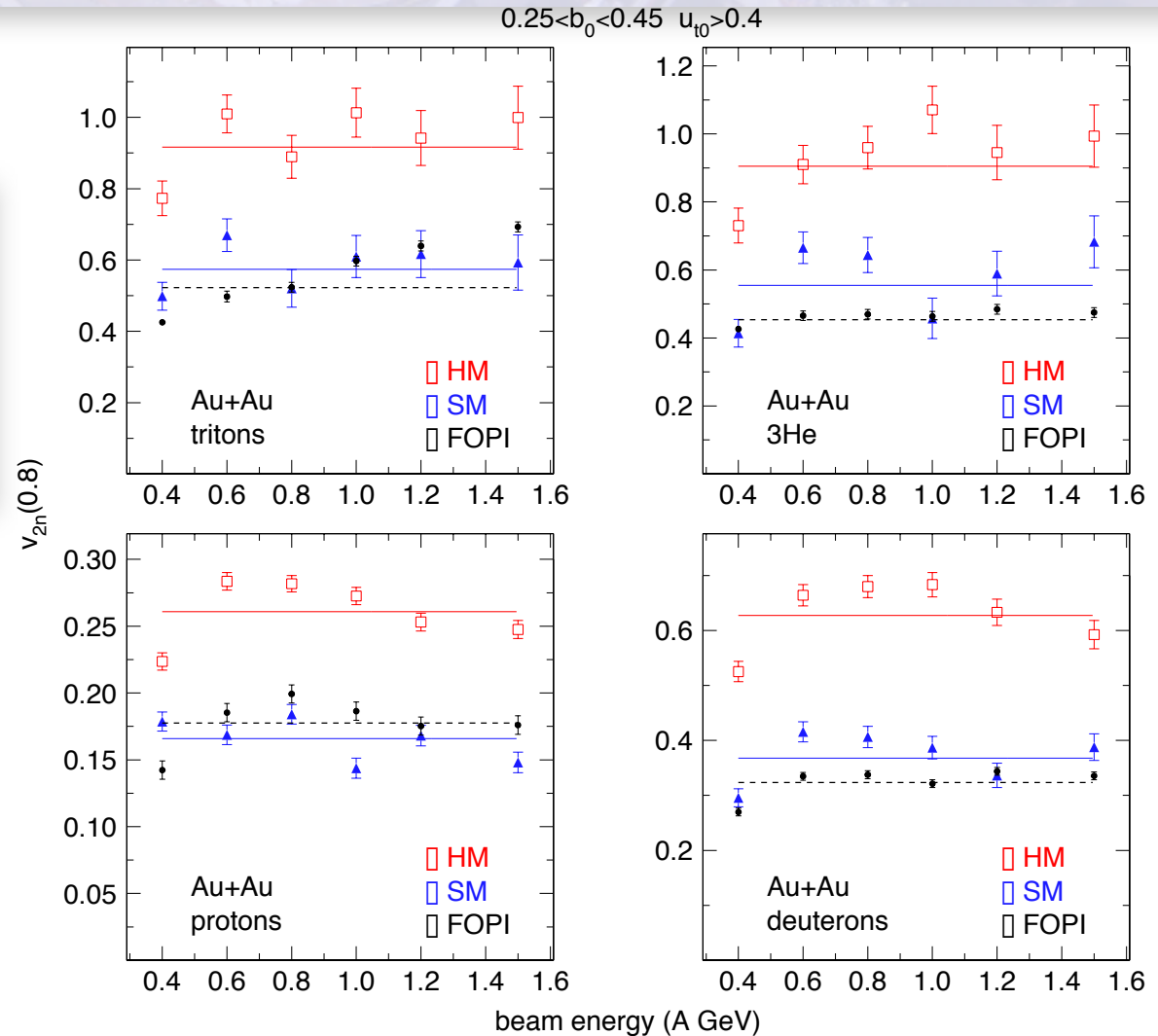
A. Le Fèvre et al., NPA 945 (2016) 112–133





# Elliptic flow method: high densities FOPI and the incompressibility $K_0$

→  $v_{2n}(E_{\text{beam}})$  varies by a factor  $\approx 1.6$ ,  $\gg$  measured uncertainty ( $\approx 1.1$ )  
 → clearly favors a 'soft' EOS.



A. Le Fèvre et al., NPA 945 (2016) 112–133



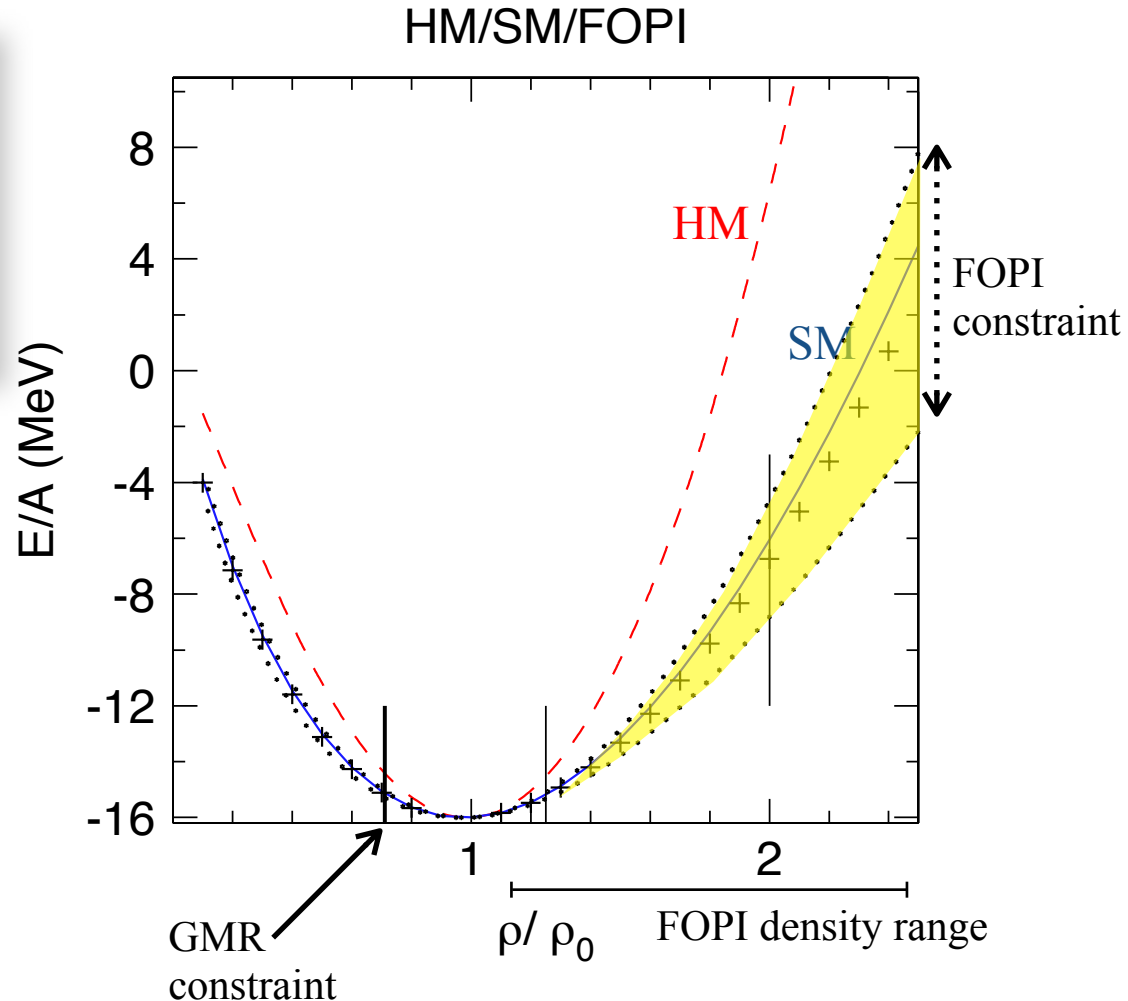
# Elliptic flow method: high densities FOPI and the incompressibility $K_0$

- $K_0$  as from FOPI flow data  
*IQMD*  $\rightarrow K_0 = 190 \pm 30 \text{ MeV}$

[A. Le Fèvre et al., *NPA*945(2016)112-133]

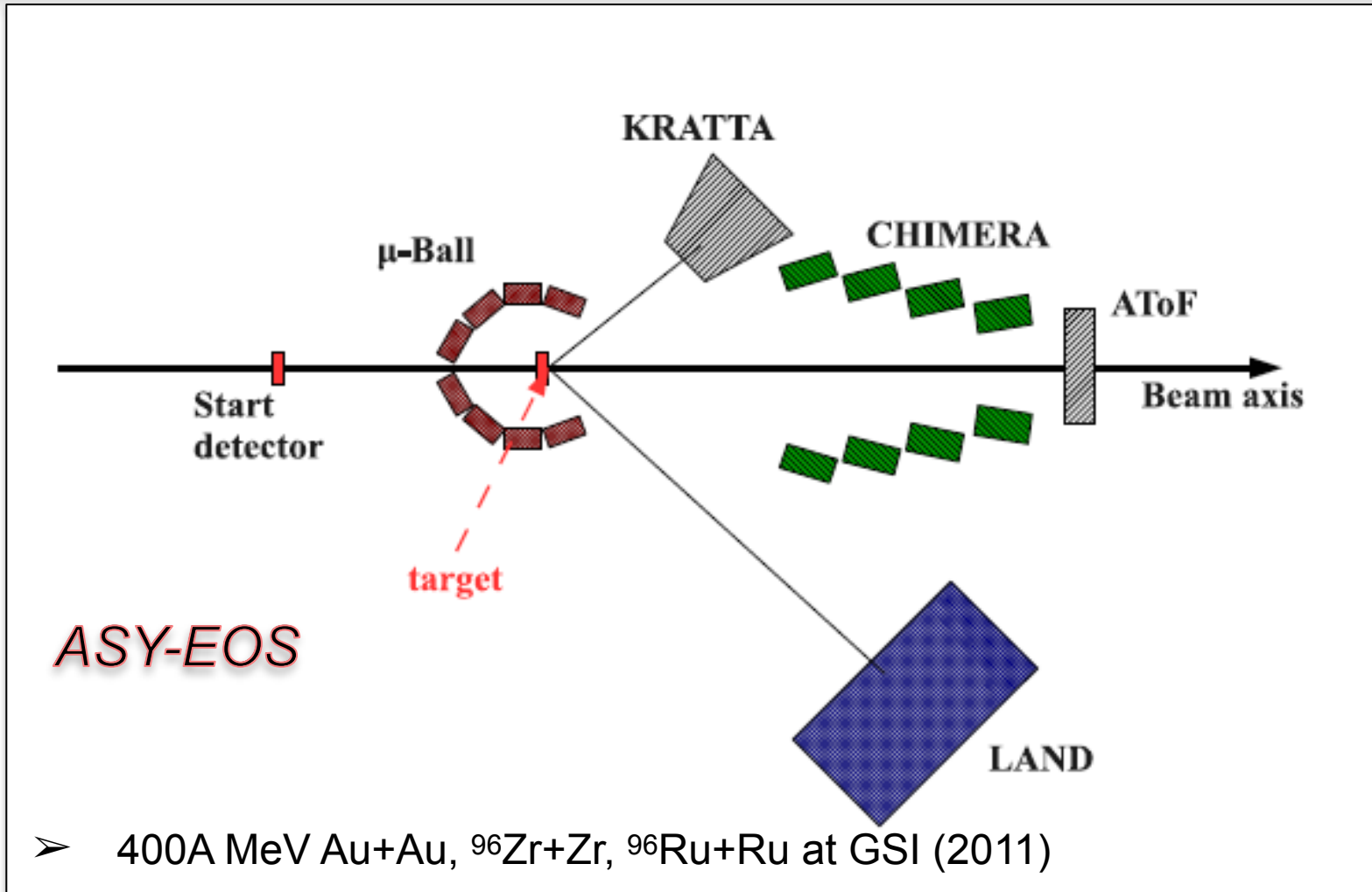
*UrQMD*  $\rightarrow K_0 = 220 \pm 40 \text{ MeV}$

[Y. Wang et al., *PLB*-778(2018)207-212]



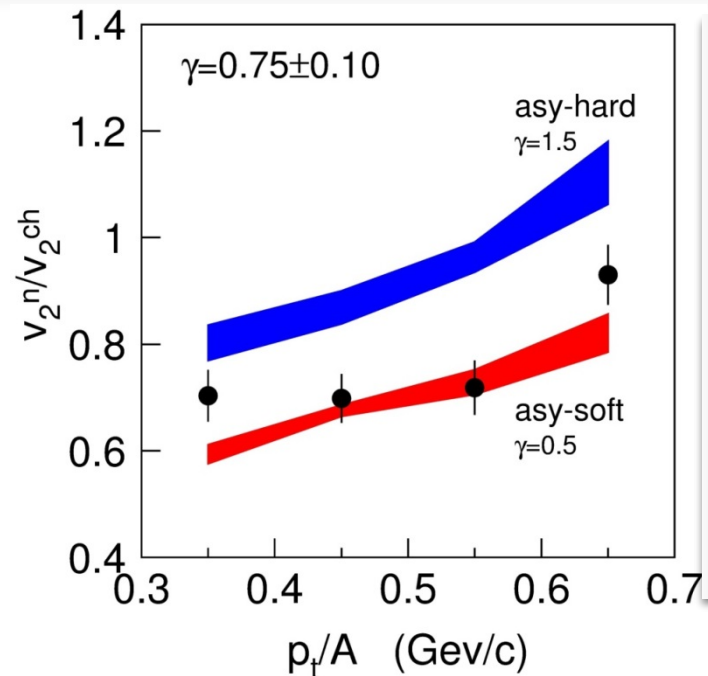
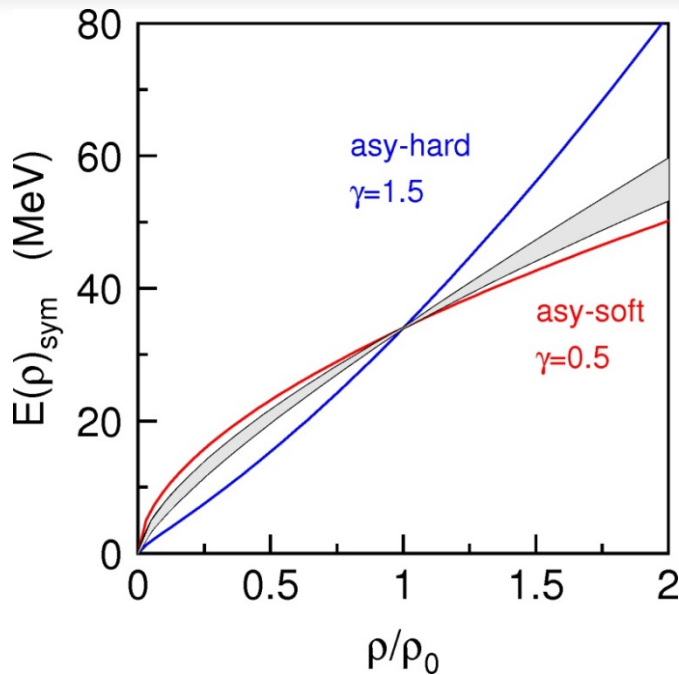
A. Le Fèvre et al., *NPA* 945 (2016) 112–133

# Elliptic flow method: high densities Asy-EOS



# Elliptic flow method: high densities

## Asy-EOS



P. Rusotto et al., PRC (2017)

- parametrisation for  $E_{asy}$  used in the UrQMD model:

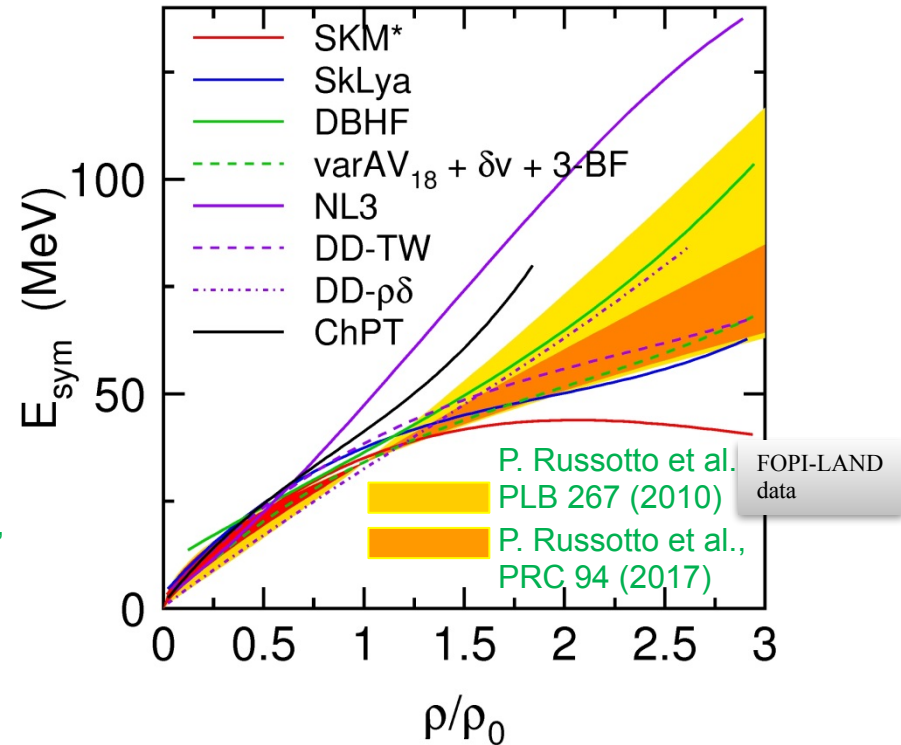
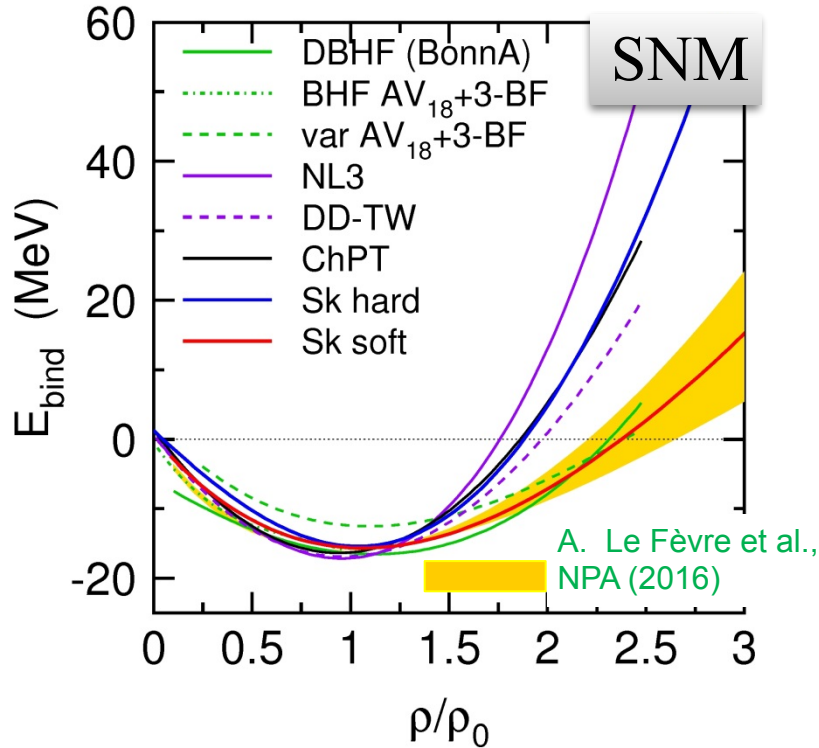
$$E_{asy} = E_{asy}^{pot} + E_{asy}^{kin} = 22MeV \left(\frac{\rho}{\rho_0}\right)^\gamma + 12MeV \left(\frac{\rho}{\rho_0}\right)^{2/3}$$

- systematic errors corrected:  $\gamma = 0.72 \pm 0.19$
- slope parameter depending on  $E_{sym}(\rho_0)$  assumption:
  - $E_{sym}(\rho_0) = 34MeV \Rightarrow L = 72 \pm 13MeV$ ,
  - $E_{sym}(\rho_0) = 31MeV \Rightarrow L = 63 \pm 11MeV$



# How HICs at GSI compare with recent astrophysical findings.

## Synthesis at high densities



- equation of state of symmetric nuclear matter (SNM)
- asymmetry energy
  - can be constrained by the systematic study of comparison of the flow of neutrons, protons and charged particles

# How HICs at GSI compare with recent astrophysical findings.

SWIFT NEUTRON STAR  
COLLISION V. 2

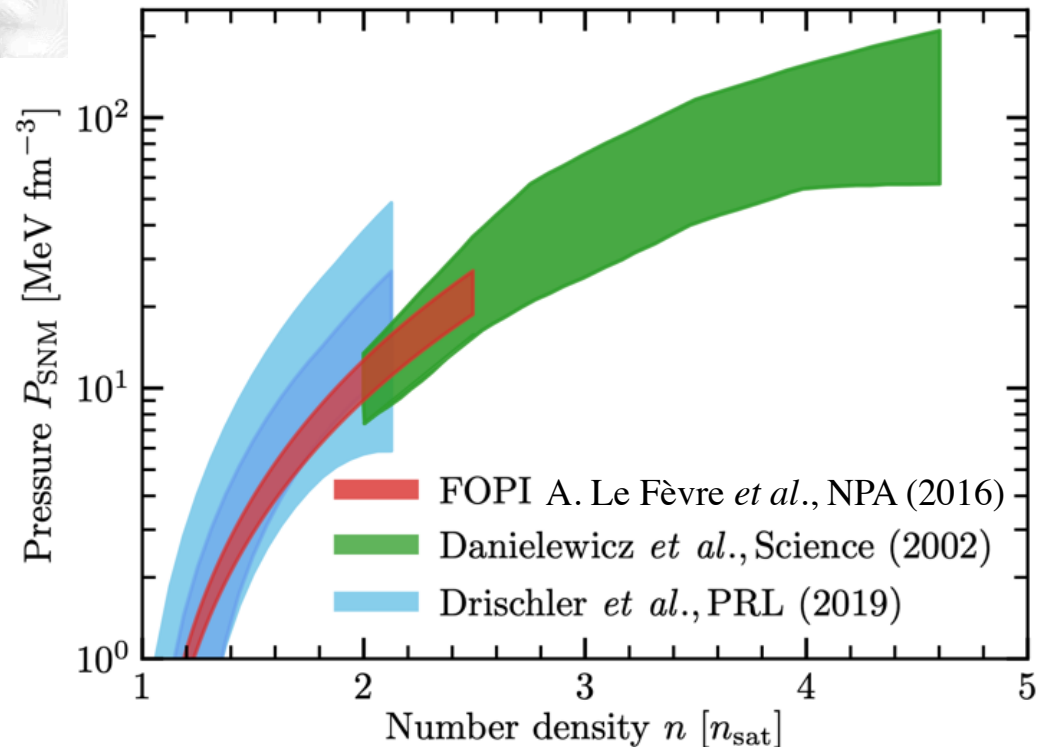


ANIMATION: DANA BERRY  
310-441-1735

PRODUCED BY ERICA DREZEK

How can we combine FOPI, AsyEOS and ALADiN results to deduce the pressure in a neutron star?

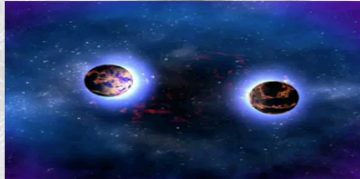
- Have  $(P_{NN}^{sym}(K_0) + P_{asy}(L))\delta$   
 $\delta = 0.9(5\% \text{ protons} + \text{degenerate } e^-)$
- L as from AsyEOS at  $1-2\rho_0$
- L as from ALADiN at  $0.7\rho_0$
- $K_0$  as from FOPI flow data



S. Huth, P.T.H. Pang *et al.*, arXiv:2107.06229 (2021)[nucl-th]

# How HICs at GSI compare with recent astrophysical findings.

SWIFT NEUTRON STAR  
COLLISION V. 2

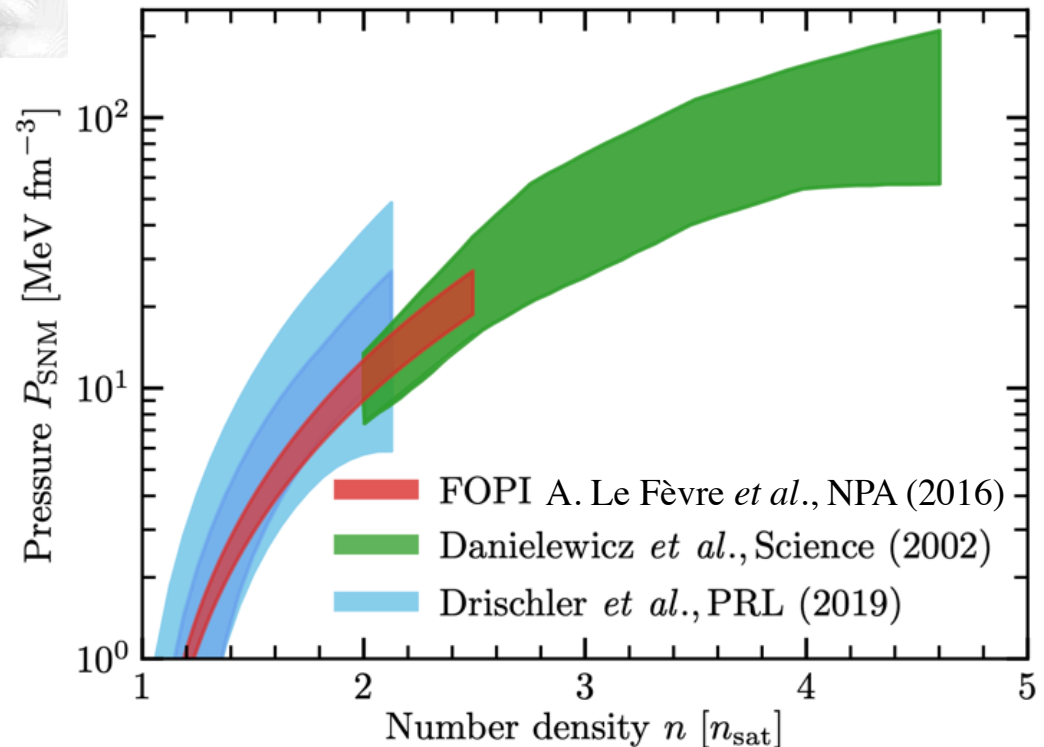


ANIMATION: DANA BERRY  
310-441-1735

PRODUCED BY ERICA DREZEK

How can we combine FOPI, AsyEOS and ALADiN results to deduce the pressure in a neutron star?

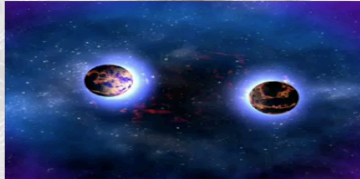
- Have  $(P_{NN}^{sym}(K_0) + P_{asy}(L))\delta$   
 $\delta = 0.9(5\% \text{ protons} + \text{degenerate } e^-)$
- L as from AsyEOS at  $1-2\rho_0$
- L as from ALADiN at  $0.7\rho_0$
- $K_0$  as from FOPI flow data



S. Huth, P.T.H. Pang *et al.*, arXiv:2107.06229 (2021)[nucl-th]

# How HICs at GSI compare with recent astrophysical findings.

SWIFT NEUTRON STAR  
COLLISION V. 2

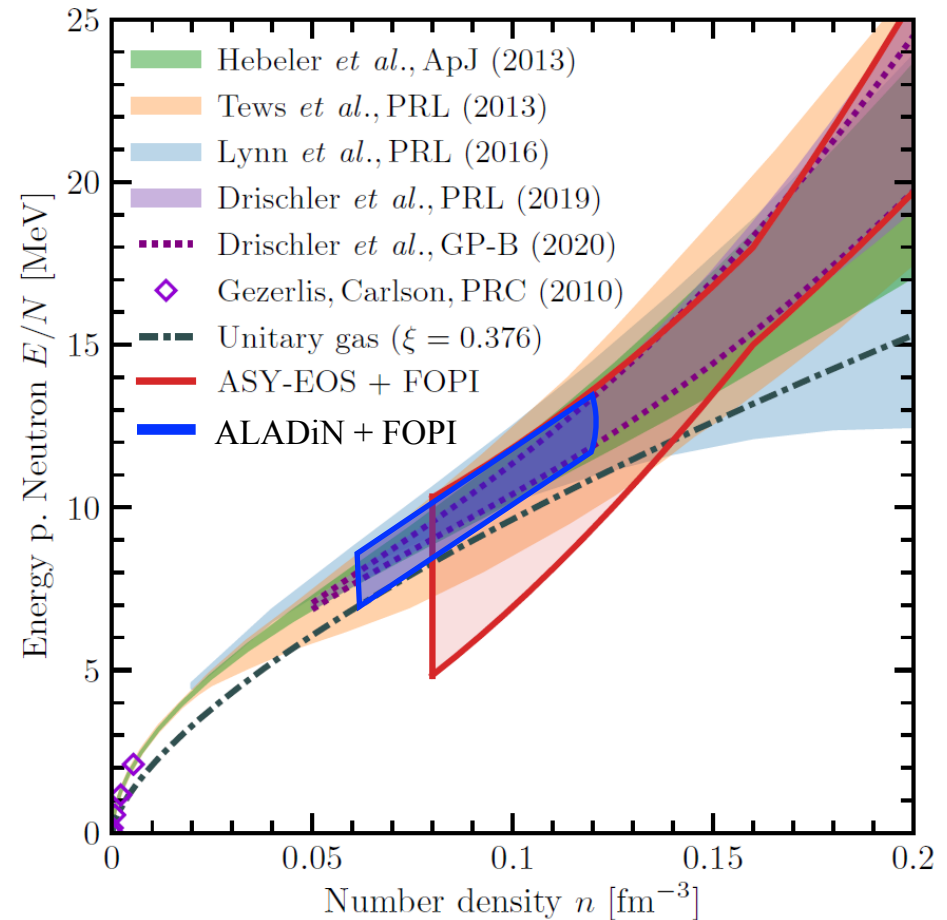


ANIMATION: DANA BERRY  
310-441-1735

PRODUCED BY ERICA DREZEK

How can we combine FOPI, AsyEOS and ALADiN results to deduce the pressure in a neutron star?

- Have  $(P_{NN}^{sym}(K_0) + P_{asy}(L))\delta$   
 $\delta = 0.9(5\% \text{ protons} + \text{degenerate } e^-)$
- L as from AsyEOS at  $1-2\rho_0$
- L as from ALADiN at  $0.7\rho_0$
- $K_0$  as from FOPI flow data

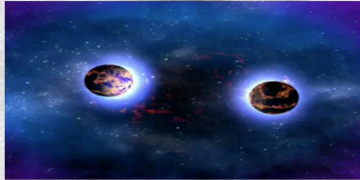


S. Huth, P.T.H. Pang et al., arXiv:2107.06229 (2021)[nucl-th]



# How HICs at GSI compare with recent astrophysical findings.

SWIFT NEUTRON STAR  
COLLISION V. 2

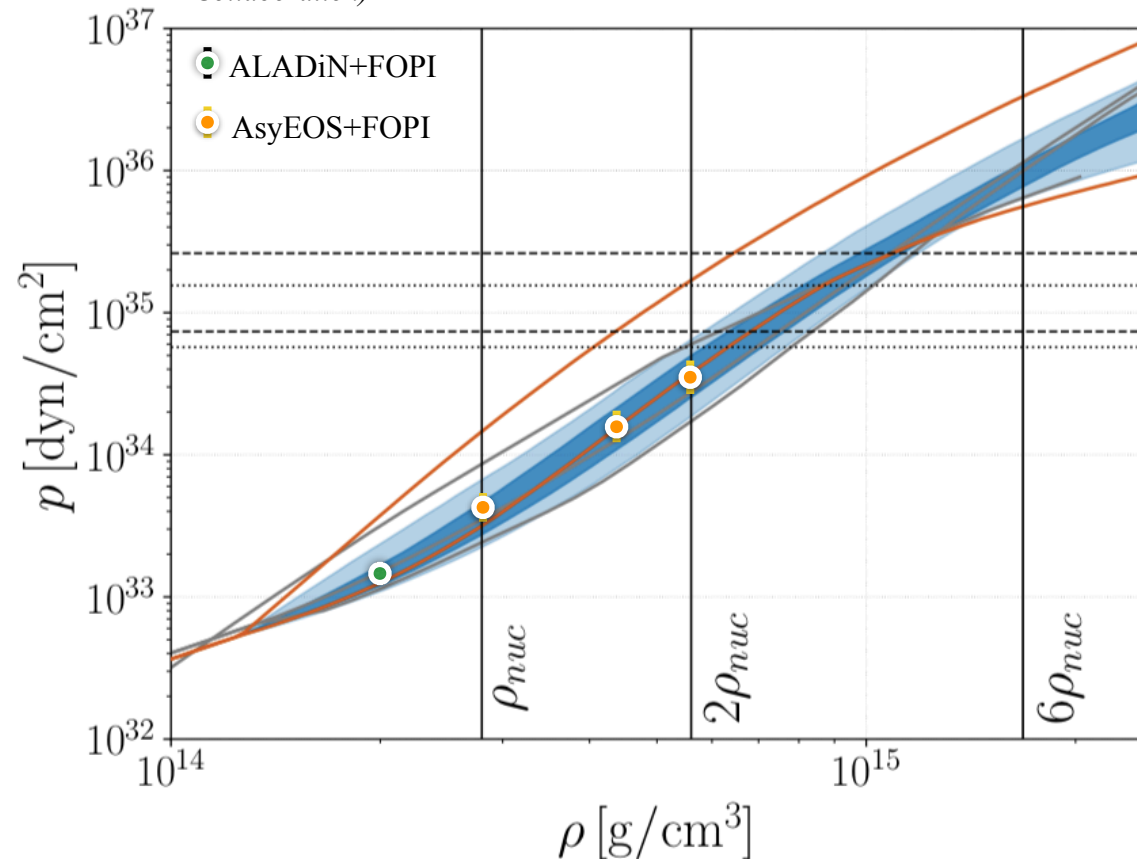


ANIMATION: DANA BERRY  
310-441-1735

PRODUCED BY ERICA DREZEK

Gravitational Wave 170817

B. P. Abbott et al. (The LIGO Scientific Collaboration and the Virgo Collaboration)

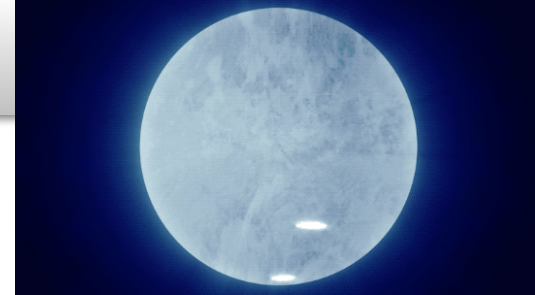


How can we combine FOPI, AsyEOS and ALADiN results to deduce the pressure in a neutron star?

- Have  $(P_{NN}^{sym}(K_0) + P_{asy}(L))\delta$   
 $\delta = 0.9(5\% \text{ protons} + \text{degenerate } e^-)$
- L as from AsyEOS at  $1-2\rho_0$
- L as from ALADiN at  $0.7\rho_0$
- $K_0$  as from FOPI flow data

# How HICs at GSI compare with recent astrophysical findings.

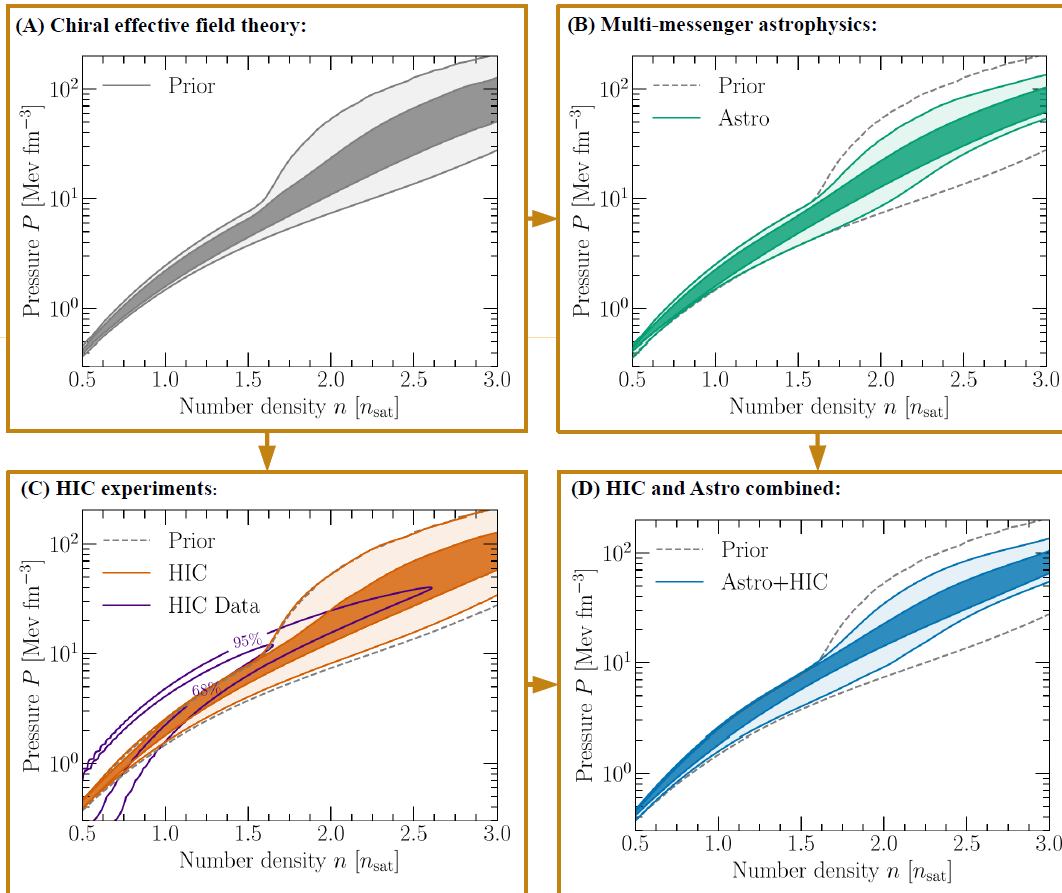
Combining astronomical multimessengers and HIC's within the same bayesian analysis to constrain the neutron star matter EoS:



## Constraining Neutron-Star Matter with Microscopic and Macroscopic Collisions

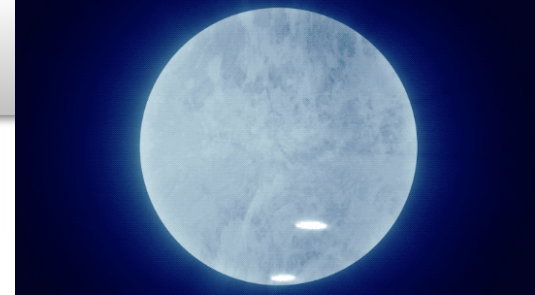
Sabrina Huth, Peter T. H. Pang, Ingo Tews, Tim Dietrich, [Arnaud Le Fèvre](#), Achim Schwenk, Wolfgang Trautmann, Kshitij Agarwal, Mattia Bulla, Michael W. Coughlin, and Chris Van Den Broeck - [arXiv:2107.06229 \(2021\)\[nucl-th\]](#)

« **HIC** » = FOPI+AsyEOS+AGS - « **Astro** » = GW, NICER (pulsar X-ray hot spots)



# How HICs at GSI compare with recent astrophysical findings.

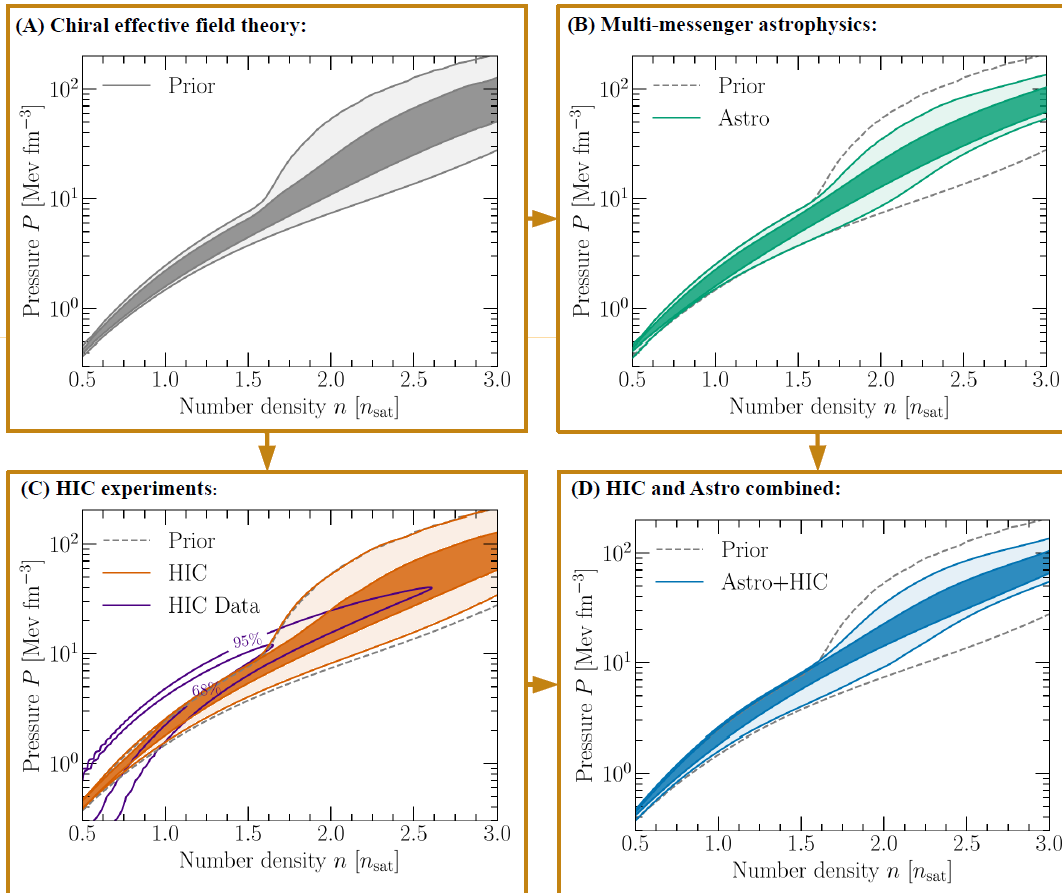
Combining astronomical multimessengers and HIC's within the same bayesian analysis to constrain the neutron star matter EoS:



## Constraining Neutron-Star Matter with Microscopic and Macroscopic Collisions

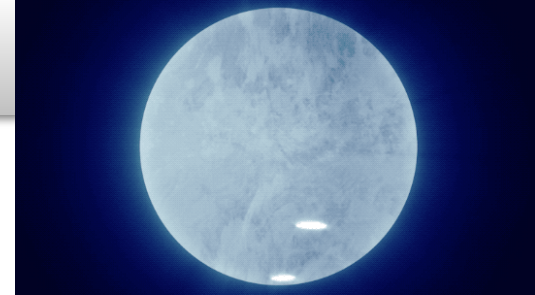
Sabrina Huth, Peter T. H. Pang, Ingo Tews, Tim Dietrich, [Arnaud Le Fèvre](#), Achim Schwenk, Wolfgang Trautmann, Kshitij Agarwal, Mattia Bulla, Michael W. Coughlin, and Chris Van Den Broeck - [arXiv:2107.06229 \(2021\)\[nucl-th\]](#)

« **HIC** » = FOPI+AsyEOS+AGS - « **Astro** » = GW, NICER (pulsar X-ray hot spots)



# How HICs at GSI compare with recent astrophysical findings.

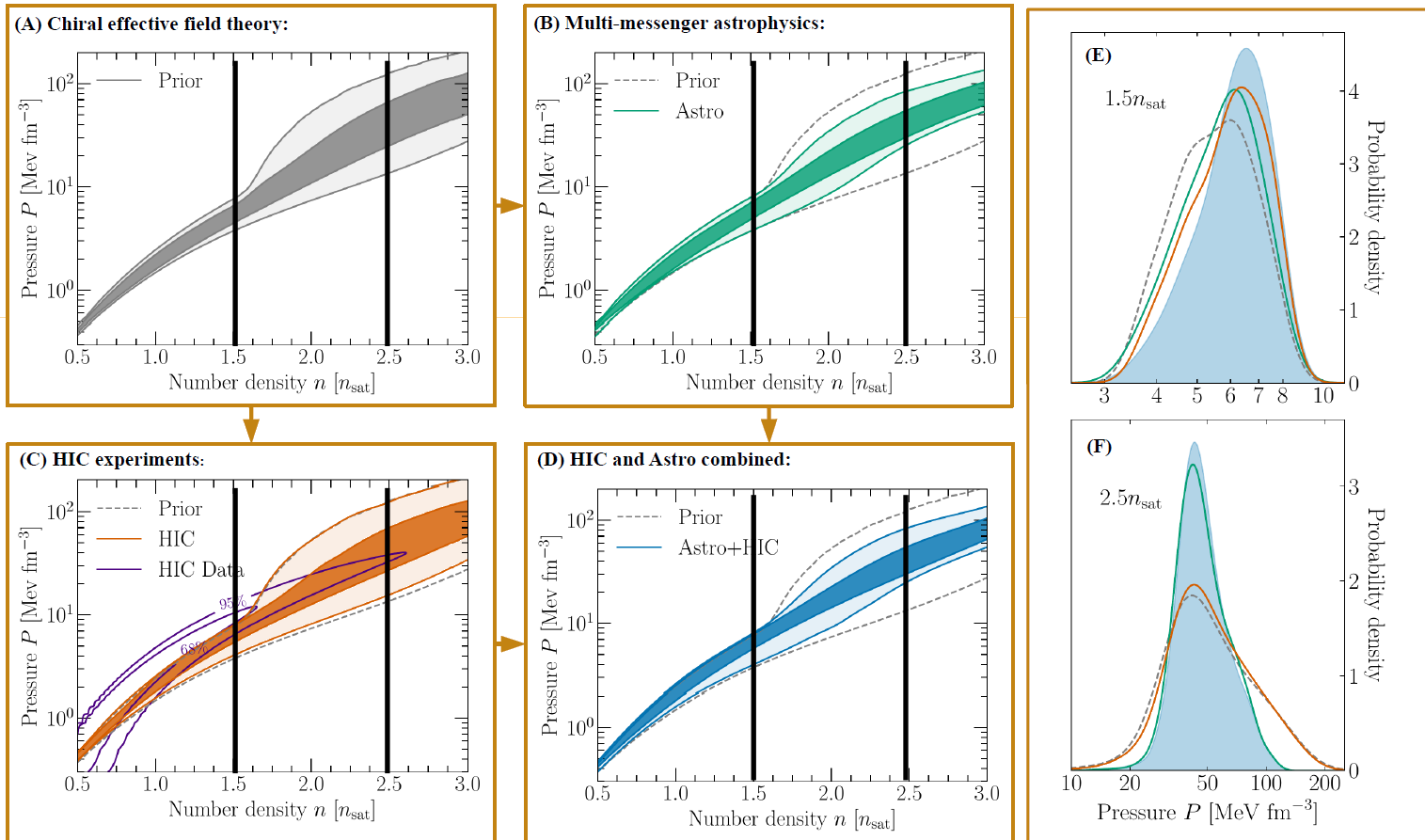
Combining astronomical multimessengers and HIC's within the same bayesian analysis to constrain the neutron star matter EoS:



## Constraining Neutron-Star Matter with Microscopic and Macroscopic Collisions

Sabrina Huth, Peter T. H. Pang, Ingo Tews, Tim Dietrich, [Arnaud Le Fèvre](#), Achim Schwenk, Wolfgang Trautmann, Kshitij Agarwal, Mattia Bulla, Michael W. Coughlin, and Chris Van Den Broeck - [arXiv:2107.06229 \(2021\)\[nucl-th\]](#)

« **HIC** » = FOPI+AsyEOS+AGS - « **Astro** » = GW, NICER (pulsar X-ray hot spots)





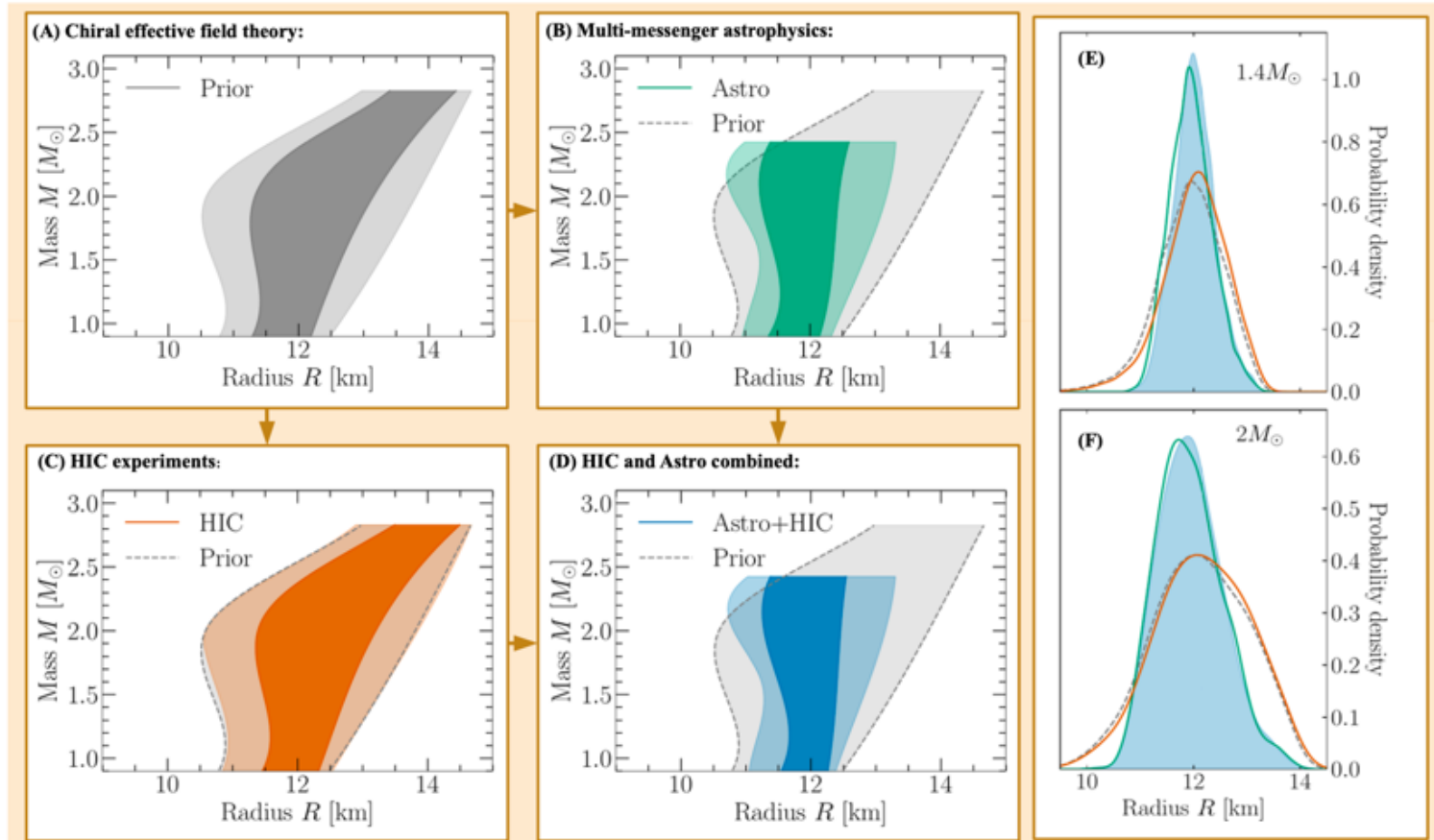
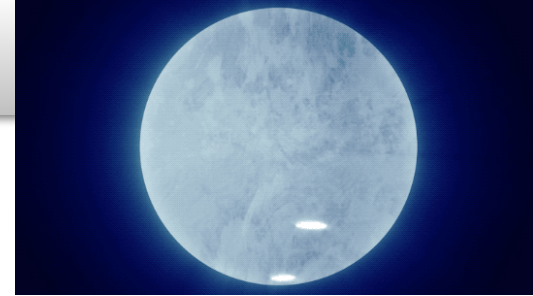
# How HICs at GSI compare with recent astrophysical findings.

Combining astronomical multimessengers and HIC's within the same bayesian analysis to constrain the neutron star matter EoS:

## Constraining Neutron-Star Matter with Microscopic and Macroscopic Collisions

Sabrina Huth, Peter T. H. Pang, Ingo Tews, Tim Dietrich, [Arnaud Le Fèvre](#), Achim Schwenk, Wolfgang Trautmann, Kshitij Agarwal, Mattia Bulla, Michael W. Coughlin, and Chris Van Den Broeck - [arXiv:2107.06229 \(2021\)\[nucl-th\]](#)

« **HIC** » = FOPI+AsyEOS+AGS - « **Astro** » = GW, NICER (pulsar X-ray hot spots)



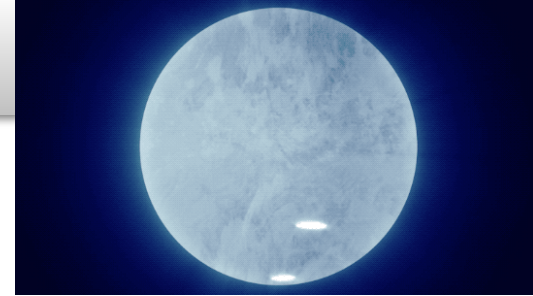
# How HICs at GSI compare with recent astrophysical findings.

Combining astronomical multimessengers and HIC's within the same bayesian analysis to constrain the neutron star matter EoS:

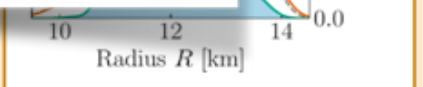
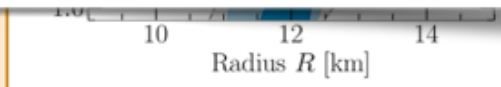
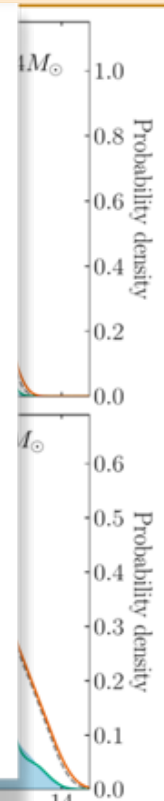
*Constraining Neutron-Star Matter with Microscopic and Macroscopic Collisions*

Sabrina Huth, Peter T. H. Pang, Ingo Tews, Tim Dietrich, [Arnaud Le Fèvre](#), Achim Schwenk, Wolfgang Trautmann, Kshitij Agarwal, Mattia Bulla, Michael W. Coughlin, and Chris Van Den Broeck - [arXiv:2107.06229 \(2021\)\[nucl-th\]](#)

« **HIC** » = FOPI+AsyEOS+AGS - « **Astro** » = GW, NICER (pulsar X-ray hot spots)

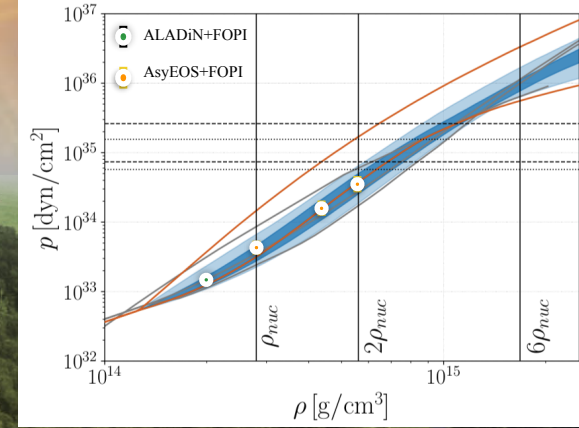
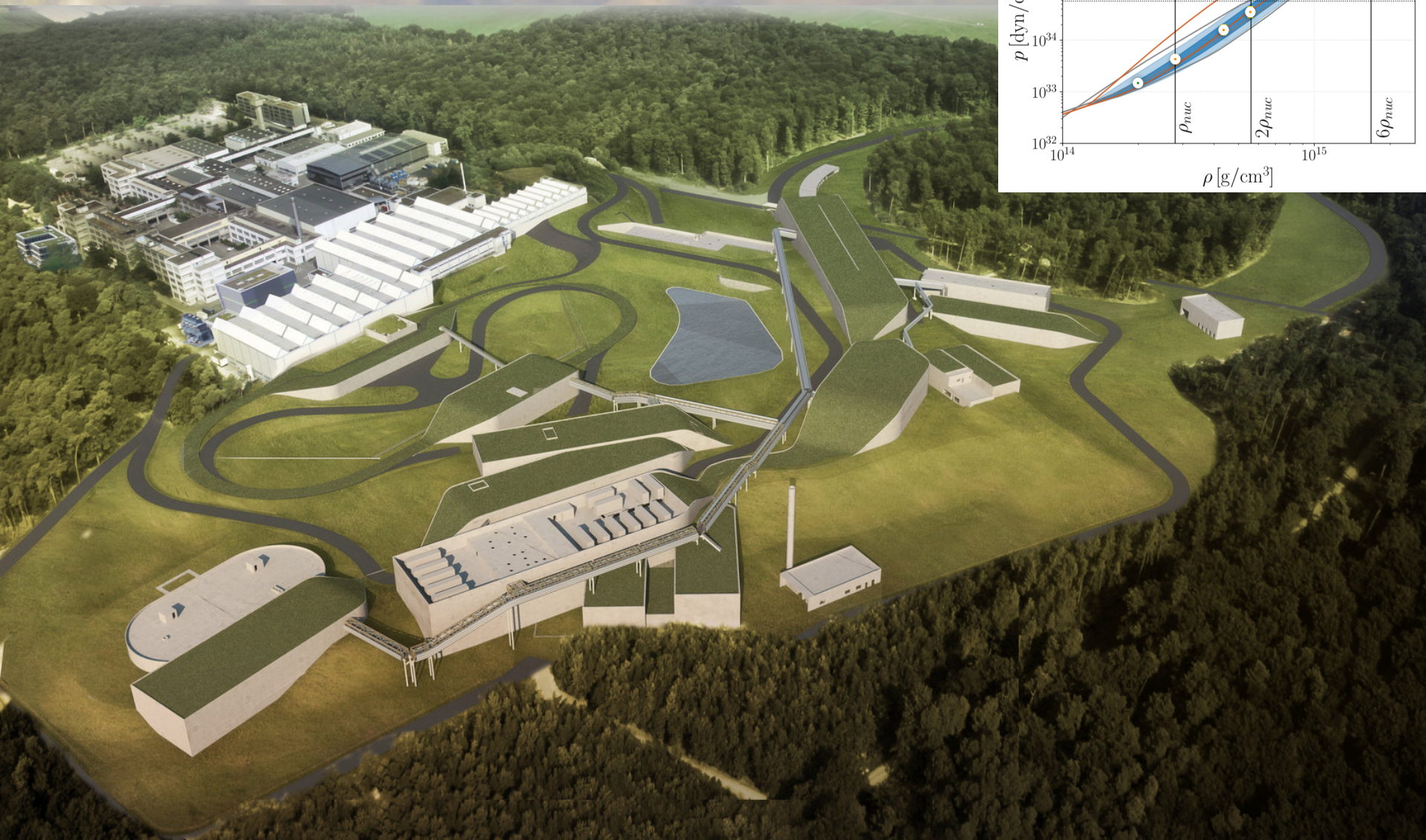


- HIC constraints prefer higher pressures, similar to NICER, **overall remarkable consistency** with chiral EFT and astro constraints!
- **Up to  $1.5\rho_0$** , HIC's constrain the neutron star EoS with a **similar accuracy** as Astro most recent findings, favouring a somehow **stiffer EoS**.
- **Above  $1.5\rho_0$** , Astro measurements are **still more accurate**, and drive the NS EoS, though with lower statistics.
- Most significant densities for constraining NS radii:
  - for  $1.4M_\odot$  :  $\rho \approx 1.6\rho_0$
  - for  $2M_\odot$  :  $\rho \approx 2 - 2.5\rho_0$
- HIC's can enhance its contribution at larger densities by 2 ways : probe higher densities (higher incident energies), improve the accuracy of  $E_{\text{asy}}$  constraint.



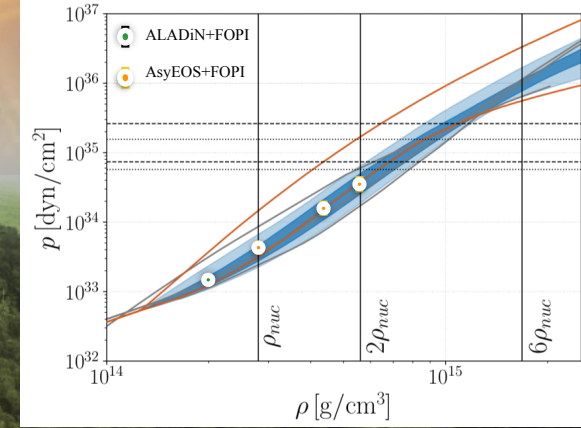


# Conclusion and perspectives





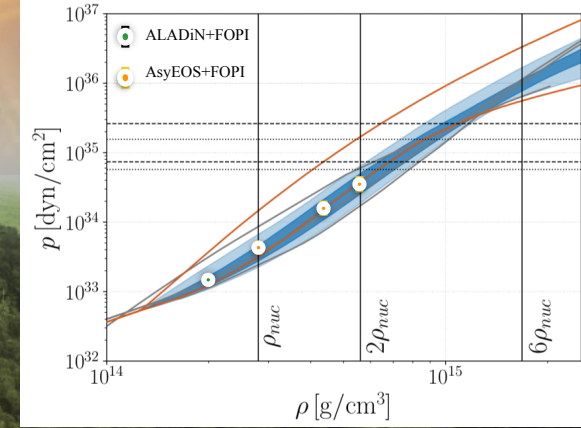
# Conclusion and perspectives



- **Heavy-ion collisions** are a powerful tool to determine the nuclear matter EoS, including the asymmetry energy. SIS18 energies allowed to probe a **broad range of densities**.



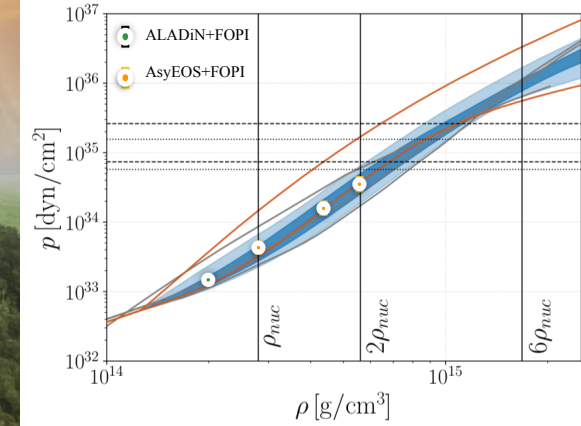
# Conclusion and perspectives



- **Heavy-ion collisions** are a powerful tool to determine the nuclear matter EoS, including the asymmetry energy. SIS18 energies allowed to probe a **broad range of densities**.
- **Isotope yields** inform on the **low density** behavior of  $E_{asy}$ , whereas **elliptic flows** provide the sensitivity **up to around  $3\rho_0$** .



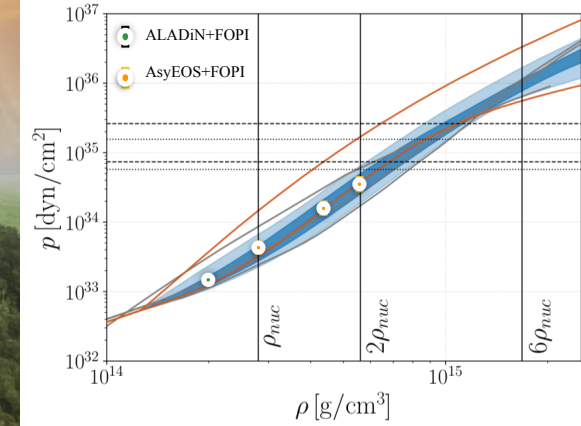
# Conclusion and perspectives



- **Heavy-ion collisions** are a powerful tool to determine the nuclear matter EoS, including the asymmetry energy. SIS18 energies allowed to probe a **broad range of densities**.
- **Isotope yields** inform on the **low density** behavior of  $E_{asy}$ , whereas **elliptic flows** provide the sensitivity **up to around  $3\rho_0$** .
- **Kaon yields** and **pion yield ratios** provide an interesting sensitivity on  $K_0$  and  $L$ , near their production threshold.



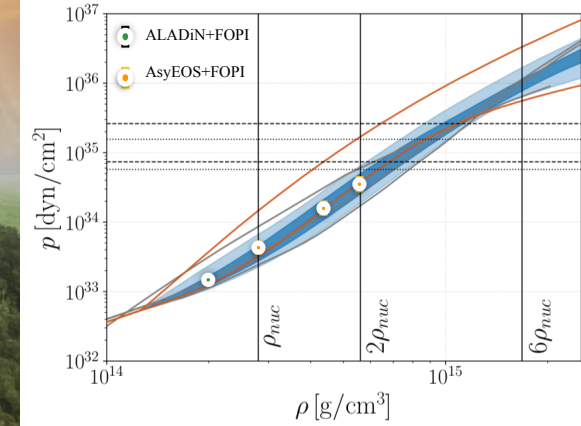
# Conclusion and perspectives



- **Heavy-ion collisions** are a powerful tool to determine the nuclear matter EoS, including the asymmetry energy. SIS18 energies allowed to probe a **broad range of densities**.
- **Isotope yields** inform on the **low density** behavior of  $E_{\text{asy}}$ , whereas **elliptic flows** provide the sensitivity **up to around  $3\rho_0$** .
- **Kaon yields** and **pion yield ratios** provide an interesting sensitivity on  $K_0$  and  $L$ , near their production threshold.
- Concerning **pion and kaon yield ratios**: still some efforts needed to reconcile transport models, seen the many effects involved.



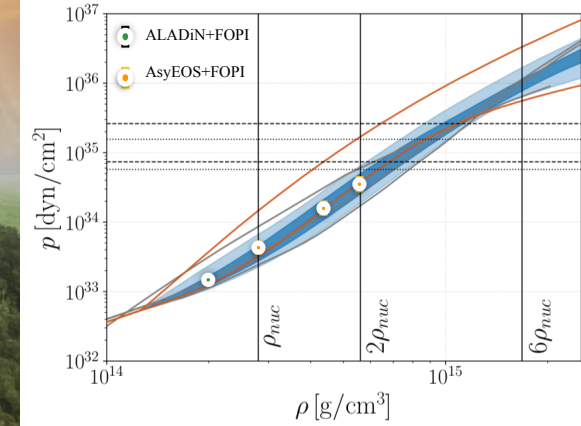
# Conclusion and perspectives



- **Heavy-ion collisions** are a powerful tool to determine the nuclear matter EoS, including the asymmetry energy. SIS18 energies allowed to probe a **broad range of densities**.
- **Isotope yields** inform on the **low density** behavior of  $E_{asy}$ , whereas **elliptic flows** provide the sensitivity **up to around  $3\rho_0$** .
- **Kaon yields** and **pion yield ratios** provide an interesting sensitivity on  $K_0$  and  $L$ , near their production threshold.
- Concerning **pion and kaon yield ratios**: still some efforts needed to reconcile transport models, seen the many effects involved.
- **Combining FOPI, AsyEOS and ALADiN** results allows to predict a density dependance of the pressure in a neutron star, from  $\approx 0.5\rho_0$  to  $\approx 2\rho_0$ , with a challenging accuracy (though improvable), compatible with recent astrophysical measurements deduced from multimessengers. A **future AsyEOS** experiment is planned at GSI at higher incident energy to further constrain the asymmetry energy up to  $\approx 3\rho_0$ .



# Conclusion and perspectives



- **Heavy-ion collisions** are a powerful tool to determine the nuclear matter EoS, including the asymmetry energy. SIS18 energies allowed to probe a **broad range of densities**.
- **Isotope yields** inform on the **low density** behavior of  $E_{\text{asy}}$ , whereas **elliptic flows** provide the sensitivity **up to around  $3\rho_0$** .
- **Kaon yields** and **pion yield ratios** provide an interesting sensitivity on  $K_0$  and  $L$ , near their production threshold.
- Concerning **pion and kaon yield ratios**: still some efforts needed to reconcile transport models, seen the many effects involved.
- **Combining FOPI, AsyEOS and ALADiN** results allows to predict a density dependance of the pressure in a neutron star, from  $\approx 0.5\rho_0$  to  $\approx 2\rho_0$ , with a challenging accuracy (though improvable), compatible with recent astrophysical measurements deduced from multimessengers. A **future AsyEOS** experiment is planned at GSI at higher incident energy to further constrain the asymmetry energy up to  $\approx 3\rho_0$ .
- Beyond  $3 - 4\rho_0$  (**FAIR, NICA**), new observables needed to constrain **SNM and NS EoS**. A new generation of relativistic transport models must arise, benchmarked e.g. with data taken at SIS18 at the highest available beam energies (**FOPI, HADES**).





**Thank you for your attention!**